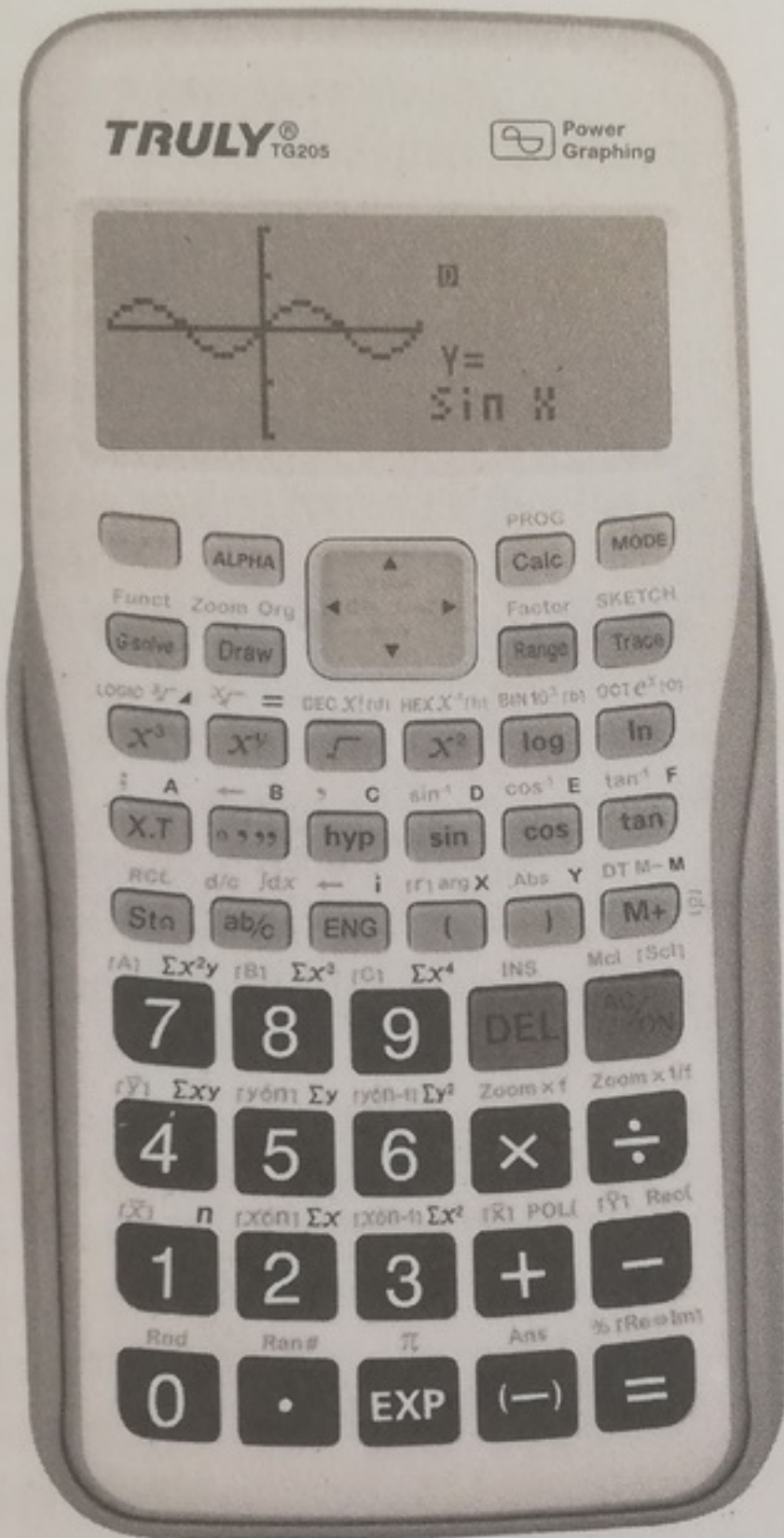


TRULY®



INSTRUCTION MANUAL

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250 FUNCTION GRAPHIC CALCULATOR TG 205

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◆ Power On:

Press "AC/ON" key to switch on calculator

Auto Power Off function:

The power of the unit is automatically switched off approximately 5 minutes after the last key operation. Once this occurs, power can be restored by pressing the "AC/ON" key.

• Replacing the Battery

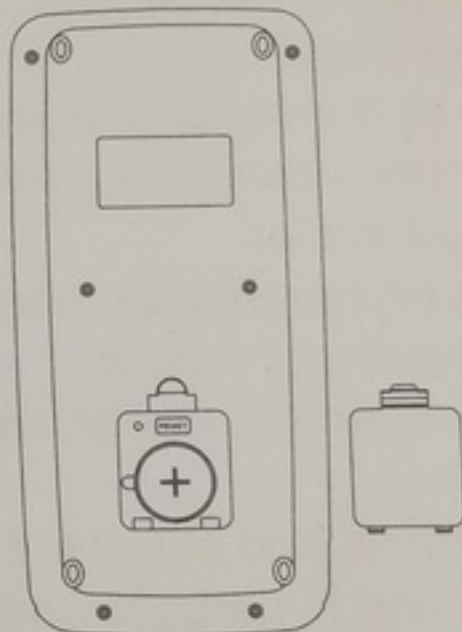
This calculator is powered by CR2032 size battery.

Either of the following symptoms indicates battery power is low, and that the battery should be replaced.

- Display figures are dim and difficult to read in areas where there is little light available.
- Nothing appears on the display when you press the **AC/ON** key.

• To replace the battery

- ① On the back of the calculator, remove the battery cover.
- ② Remove the old battery.
- ③ Wipe off the sides of new battery with a dry, soft cloth. Load it into the unit with the positive ⊕ side facing up (so you can see it).
- ④ Replace the back cover
- ⑤ Press **AC/ON** to turn power on. Be sure not to skip this step.

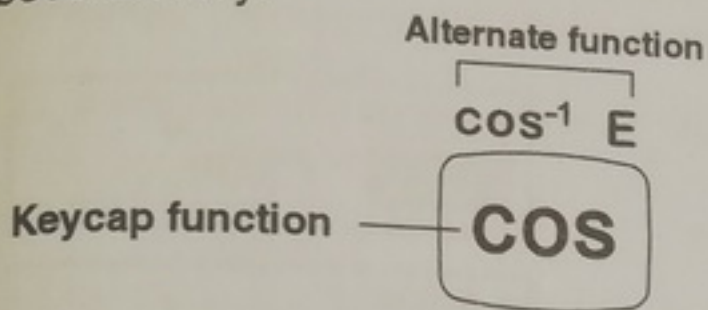


◆ Adjusting Display Contrast

You can adjust contrast using ↑ and ↓ while the mode menu (which appears when you press "Mode") is on display. After the setting is the way you want, press "AC/ON"

Key Markings

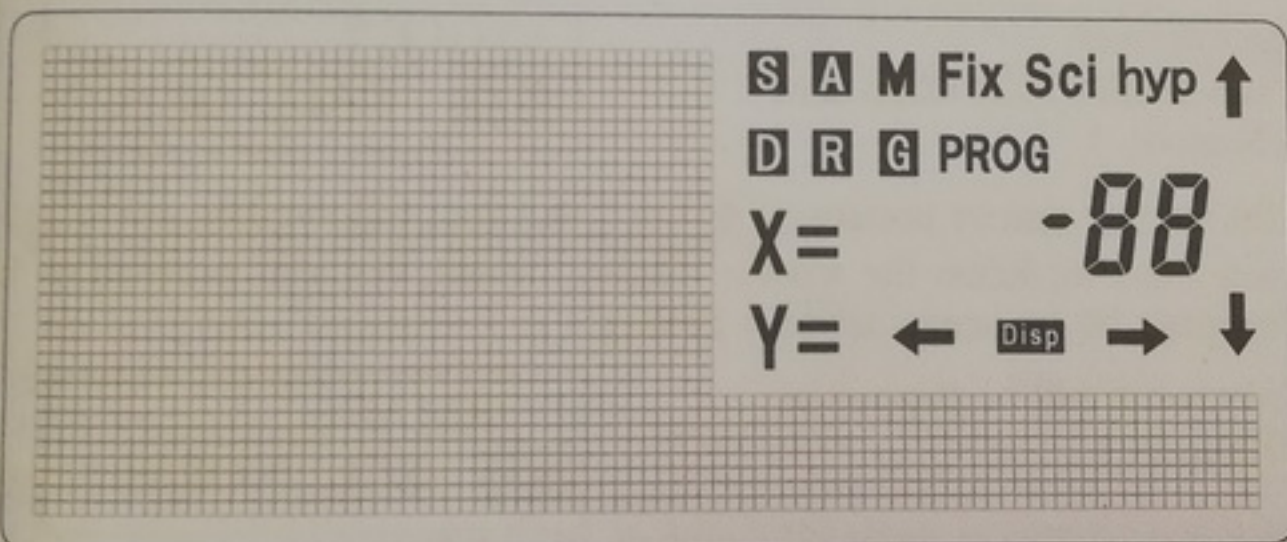
Pressing the [SHIFT] or [ALPHA] key followed by a second key performs the alternate function of the second key. The alternate function is indicated by the text printed above the key.



The following shows what the different colors of the alternate function key text mean.

If key marking text is this color:	It means this:
Blue	Press [SHIFT] and then the key to access the applicable function.
Orange	Press [ALPHA] and then the key to input the applicable variable, constant, or symbol.
Green (or enclosed in green brackets)	Enter the "SD" or "BASE-N" Mode to access the function.

Display



S :- Indicates **[SHIFT]** key has been pressed.

A :- Indicates **[ALPHA]** key has been pressed.

M :- Indicates **[MODE]** key has been pressed.

DISP :- Indicates intermediate result is displayed.

D :- Indicates angular measurement in units of "Degrees".

R :- Indicates angular measurement in units of "Radians".

G :- Indicates angular measurement in units of "Gradients".

FIX :- Indicates specification of number of decimal places is being executed.

SCI :- Indicates specification of number of significant digits is being executed.

hyp :- Indicates **[hyp]** key has been pressed.

i :- Indicates the display of imaginary number.

←, → :- Indicates number of characters exceeds limitation of screen.

Non-displayed characters can be viewed by "scrolling" right or left, as indicated by arrow(s).

▲, ▼ :- Indicates the content in last calculation memory.

PROG :- Indicates the calculator is in programming mode.

◆ Operation modes

When using ET-100, it is necessary to select the proper mode to meet your requirements. This can be done by pressing **MODE** to view the main menu and select the appropriate mode by moving the cursor to the right or the left.

Press **MODE** once to read the first page of the main menu.

```
MODE ?
COMP  CMPLX
```

Press **→** to select the mode.

```
MODE ?
COMP  CMPLX
```

As the icons "→" or "←" appear, one can press **→** or **←** correspondingly to view the hidden menu.

```
MODE ?
SD  REG  ← BASE
```

After locating the desired mode, press **=** to confirm and leave the main menu.

As you press **MODE** again, you can move to the menu to select function graph or parametric graph.

MODE

```
GRAPH ?
FUNCT  PARAM
```

Or if you want to define the "degree" or "radian" or gradient", you can press **MODE** again during the display of "graph-selection" menu mentioned above.

Press **MODE** again.
(This sub-menu will be skipped in Base-N mode.)

```
ANGLE ?
DEG  RAD  GRA
```

Select the angular unit by pressing **←** or **→** then followed by **=**.

Or if you want to define the answer display format, you can proceed to the following page by pressing **MODE** further.

(This sub-menu will be skipped in Base-N mode.)

```
FORMAT?
FIX  SCI  NORM
```

Press **MODE** once more to leave the menu.

```
—
```

Calculation modes

COMP mode: - general calculations, including function calculations can be executed.

COMPLEX mode: - calculations including complex numbers can be executed. "CMPLX" appears on the display.

SD mode: - standard deviation calculation can be executed. "SD" appears in the display.

REG mode: - regression calculations can be performed. "LR" appears in the display.

BASE-N mode: - binary, octal, decimal, hexadecimal conversion and calculations as well as logical operations can be carried out. "BASE-N" appears on the display.

Note:- The five calculation modes listed above are totally independent, and cannot be used together.

Note:- The calculation mode last selected is retained in memory when the power is switched OFF.

Angular measurement modes

Deg mode:- specify measurement in "degrees". " \boxed{D} " symbol appears in display window.

Rad mode:- specify measurement in "radians". " \boxed{R} " symbol appears in display window.

Gra mode:- specify measurement in "grads". " \boxed{G} " symbol appears in display window.

With the exception of the BASE-N mode, these three angular measurement modes can be used in combination with the manual calculation modes.

Display modes

Fix mode:- specify number of decimal places. "FIX" symbol appears in display window.

Sci mode:- specify number of significant digits. "SCI" symbol appears in display window.

Norm mode:- cancels "Fix" and "Sci" specifications. This operation also changes the range of the exponent display. When the results exceed the following limits, exponent is to be displayed.

Norm 1 :- $10^{-2} > |x|$, or $|x| \geq 10^{10}$

Norm 2 :- $10^{-9} > |x|$, or $|x| \geq 10^{10}$

In combination with Fix, Sci or Norm mode, you can cause the exponent display for the number being displayed to change in multiples of 3 by pressing \boxed{ENG} .

* With the exception of the BASE-N mode, Fix, Sci and Norm modes can be used in combination with the manual calculations.

* Engineering display format is not available in Complex mode.

* The display mode last selected is retained in memory when the power is switched OFF.

◆ Calculation priority sequence

This calculator employs true algebraic logic to calculate the parts of a formula in the following order :-

1. Coordinate transformation / integration, $\text{Pol}(x, y)$, $\text{Rec}(r, \theta)$, $\int dx$
2. Type A functions :-
These functions are those in which the value is entered and then the function key is pressed, such as x^2 , x^{-1} , $x!$, $^{\circ}$, $'$, Engineering symbols.
3. Power / root, x^y , $x\sqrt{\quad}$
4. Fractions, a^b/c
5. Abbreviated multiplication format in front of π , memory or parenthesis, such as 2π , $5A$, πR , etc.
6. Type B functions :-
These functions are those in which the function key is pressed and then the value is entered such as $\sqrt{\quad}$, $\sqrt[3]{\quad}$, \log , \ln , e^x , 10^x , \sin , \cos , \tan , \sin^{-1} , \cos^{-1} , \tan^{-1} , \sinh , \cosh , \tanh , \sinh^{-1} , \cosh^{-1} , \tanh^{-1} , Int , Frac , Abs , $(-)$, (following in BASE-N mode only) d , H , b , o , Neg , Not .
7. Abbreviated multiplication format in front of Type B functions, such as, $2\sqrt{3}$, $A \log 2$, etc.
8. \times , \div
9. $+$, $-$
10. and (in BASE-N mode only)

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11. or, xor, xnor (in BASE-N mode only)

* When functions with the same priority are used in series, execution is performed from right to left for :- $e^x \ln \sqrt{120} \rightarrow e^x \{ \ln(\sqrt{120}) \}$. Otherwise, execution is from left to right.

* Operations enclosed in parentheses are performed first.

◆ Number of stacks

There is a memory area known as a "stack" for the temporary storage of low priority numeric values and commands (functions, etc.). The numeric value stack has nine levels, while the command stack has 24. If a complex formula is employed that exceeds the stack space available, a stack error (Stk ERROR) message will appear on the display.

Calculations are performed in the order of the highest calculation priority first. Once a calculation is executed, it is cleared from the stack.

◆ Number of input/output digits and calculation digits

The allowable input/output range (number of digits) of this unit is 10 digits for a mantissa and 2 digits for the exponent. Calculations, however, are performed internally with a range of 12 digits for a mantissa and 2 digits for an exponent.

Example $3 \times 10^5 \div 7 =$

3 **EXP** 5 **÷** 7 **EXE**

D
42857.14286

3 **EXP** 5 **+** 7 **=** 42857

D
3E5 ÷ 7

EXE

D
0.14285714

Once a calculation is completed, the mantissa is rounded off to 10 digits and displayed.

Example $3 \times 10^5 \div 7 =$

3 **EXP** 5 **÷** 7 **EXE**

D
42857.14286

= 42857 **EXE**

D
0.14285714

◆ Overflow and errors

If the operational range of the unit is exceeded, or incorrect inputs are made, an error message will appear on the display and subsequent operation will be impossible. This is carried out by the error check function. The following operations will result in errors :-

1. The answer, whether intermediate or final, or any value in memory exceeds the value of $\pm 9.999999999 \times 10^{99}$.
2. An attempt is made to perform function calculations that exceed the input range.
3. Improper operation during statistical calculations, e.g., attempting to obtain x or $x\sigma$ without data input.
4. The capacity of the numeric value stack or the command stack is exceeded.
5. Input errors are made, e.g, 5 $\square \times \square \times 3 \square =$.

When error message appears, most keys will become inoperative. In this case, press the **AC** key to return to normal operation. You can also press the $\square \leftarrow$ or $\square \rightarrow$ key to cause the cursor to show the position of the error.

The following error messages will be displayed for the operations listed above:-

case (1) to case (3)	Ma ERROR
case (4)	Stk ERROR
case (5)	Syn ERROR
case (6)	Range ERROR

Besides pressing **AC** when an error occurs, you can also press **ON** key to clear the error.

◆ Number of input characters

This calculator features a 79-step area for calculation execution. One function comprises one step. Each press of numeric or $\square +$, $\square -$, $\square \times$ and $\square \div$ keys comprise one step. Though such operations as **SHIFT** $\square x!$ ($\square x^{-1}$ key) require two key operations, they actually comprise only one function, and, therefore, only one step. These steps can be confirmed using the cursor. With each press of the $\square \leftarrow$ or $\square \rightarrow$ key, the cursor is moved one step.

Input characters are limited to 79 steps. Usually, the cursor is represented by a blinking " _ ".

When numeric values or calculation commands are input, they appear on the display from the left. Calculation results, however, are displayed from the right.

Corrections

To make corrections in a formula that is being input, use the $\square \leftarrow$ and $\square \rightarrow$ keys to move to the position of the error and press the correct keys.

Example To change an input of 122 to 123 :-

$\square 1 \square 2 \square 2$

D
1 2 2 _

$\square \leftarrow$

D
1 2 2

$\square 3$

D
1 2 3 _

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Example To change an input of $\cos 60$ to $\sin 60$:-

\cos 6 0

D
cos 60 _

\leftarrow \leftarrow \leftarrow

D
cos 60

sin

D
sin 60

If after making corrections, input of the formula is complete, the answer can be obtained by pressing $=$. If, however, more is to be added to the formula, advance the cursor using the \rightarrow key to the end of the formula for input.

If an unnecessary character has been included in a formula, use the \leftarrow and \rightarrow keys to move to the position of the error and press the DEL key. Each press of DEL will delete one command (one step).

Example To correct an input of $369 \times \times 2$ to 369×2 :-

3 6 9 \times \times 2

D
3 6 9 $\times \times$ 2 _

\leftarrow \leftarrow DEL

D
3 6 9 \times 2

If a character has been omitted from a formula, use the \leftarrow or \rightarrow key to move to the position where the character should have been input, and press SHIFT followed by INS key. Each press of SHIFT INS will create a space for input of one command.

Example To correct an input of 2.36^2 to $\sin 2.36^2$:-

2 \cdot 3 6 x^2

D
2.3 6 2 _

\leftarrow \leftarrow \leftarrow \leftarrow \leftarrow

D
2.3 6 2

SHIFT INS

D
 \square . 3 6 2

SIN

D
sin \square . 3 6 2

When SHIFT INS are pressed, the space that is opened is displayed as " \square ". The function or value assigned to the next key you press will be inserted in the \square . To exit from the insertion mode, move the cursor, or press SHIFT INS , or press $=$.

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Even after the $=$ key has been pressed to calculate a result, it is possible to use this procedure for correction. Press the \leftarrow key to move the cursor to the place where the correction is to be made.

II. Manual Calculations

IIa. Arithmetic operations & Parenthesis calculations

- arithmetic operations are performed by pressing the keys in the same order as noted in the formula
- for negative values, press $[(-)]$ before entering the value
- for mixed basic arithmetic operations, multiplication and division are given priority over addition and subtraction
- assuming that display mode Norm 1 is selected

Example	Operation	Display (lower)
$23+4.5-53=-25.5$	23 [+] 4.5 [-] 53 [=]	-25.5
$56 \times (-12) \div (-2.5) = 268.8$	56 [×] -12 [÷] -2.5 [=]	268.8
$12369 \times 7532 \times 74103 = 6.903680613 \times 10^{12}$	12369 [×] 7532 [×] 74103 [=]	6.903680613 ¹²
$(4.5 \times 10^{75}) \times (-2.3 \times 10^{-79}) = -1.035 \times 10^{-3}$	4.5 [exp] 75 [×] -2.3 [exp] -79 [=]	-1.035 ⁻⁰³
$(2+3) \times 10^2 = 500$	[(] 2 [+] 3 [)] [×] 1 [exp] 2 [=]	500.
$(1 \times 10^5) \div 7 = 14285.71429$	1 [exp] 5 [÷] 7 [=]	14285.71429
$(1 \times 10^5) \div 7 - 14285 = 0.7142857$ please note that internal calculation is calculated in 12 digits for a mantissa and the result is displayed rounded off to 10 digits.	1 [exp] 5 [÷] 7 [-] 14285 [=]	0.71428571
$3 + 5 \times 6 = 33$	3 [+] 5 [×] 6 [=]	33.
$7 \times 8 - 4 \times 5 = 36$	7 [×] 8 [-] 4 [×] 5 [=]	36.
$1 + 2 - 3 \times 4 \div 5 + 6 = 6.6$	1 [+] 2 [-] 3 [×] 4 [÷] 5 [+] 6 [=]	6.6
$100 - (2+3) \times 4 = 80$	100 [-] [(] 2 [+] 3 [)] [×] 4 [=]	80.
$2 + 3 \times (4 + 5) = 29$	2 [+] 3 [×] [(] 4 [+] 5 [)] [=] Closed parentheses occurring immediately before operation of the [=] key may be omitted.	29.
$(7 - 2) \times (8 + 5) = 65$	[(] 7 [-] 2 [)] [(] 8 [+] 5 [)] [=] A multiplication sign [×] occurring immediately before an open parentheses can be omitted.	65.
$10 - \{ 2 + 7 \times (3 + 6) \} = -55$	10 [-] [(] 2 [+] 7 [(] 3 [+] 6 [)] [=]	-55.

IIb. Percentage calculations

- Percentage cannot be executed in Base-N mode or CMPLX mode.

Example	Operation	Display (Lower)
Percentage 26% of \$15.00	15 [×] 26 [shift] [%]	3.9
Premium 15% increase from \$36.20	36.2 [×] 15 [shift] [%] [+]	41.63
Discount 4% discount from \$47.50	47.5 [×] 4 [shift] [%] [-]	45.6
Ratio 75 is what % of 250 ?	75 [÷] 250 [shift] [%]	30.
Rate of change 141 is an increase of what % from 120 ?	141 [-] 120 [shift] [%]	17.5
Rate of change 240 is a decrease of what % from 300 ?	240 [-] 300 [shift] [%]	-20.

IIc. Specifying the Format of Calculation Results

You can change the precision of calculation results by specifying the number of decimal places or the number of significant digits. You can also shift the decimal place of a displayed value three places to the left or right for one-touch conversions of metric weights and measures.

Upon power up reset, the display format is defaulted at Norm1. Each time you can press **MODE** to enter the menu and select the desired format in the sub-menu "Fix/Sci/Norm". When you choose "Norm", you can further select between Norm 1 or Norm 2 in the following window.

N o r m 1 ~ 2 ?

Key in either **1** or **2** to specify Norm 1 or Norm 2 respectively.

Norm 1 :- all values less than 10^{-2} or greater than 10^9 are automatically expressed as exponents.

Norm 2 :- all values less than 10^{-9} or greater than 10^9 are automatically expressed as exponents.

Note: You cannot specify the display format (Fix, Sci) while the calculator is in Base-N mode.

◆ Specifying the Number of Decimal places

The calculator always performs calculations using a 10-digit mantissa and 2-digit exponent, and results are stored in memory as a 12-digit mantissa and 2-digit exponent no matter how many decimal places you specify. Intermediate results and final results are then automatically rounded off to the number of decimal places you have specified.

It should be noted that displayed results are rounded to the specified number of decimal places, but stored results are normally not rounded.

To specify the number of decimal places (Fix), select "FIX" in the sub-menu "Fix/Sci/Norm" and then you are asked to enter a value indicating the number of places (0 ~ 9) as below.

F i x 0 ~ 9 ?

At this time, you should be able to see "FIX" on the display. The number of decimal places specified will remain in effect until Norm1 or Norm2 is specified as described above or significant digits are specified by selecting "SCI" in the sub-menu "Fix/Sci/Norm".

Example	Operation	Display (Lower)
$100 \div 6 = 16.66666666\dots$	100 [\div] 6 [=]	16.66666667
specify 4 decimal places	[Mode][Mode][Mode] [Mode] [=] [4]	16.6667
cancel specification	[Mode][Mode][Mode] [Mode] [\rightarrow][\rightarrow][=][1]	16.66666667
$200 \div 7 \times 14 = 400$	200 [\div] 7 [\times] 14 [=]	400.
rounded to 3 decimal places	[Mode][Mode][Mode] [Mode] [=] [3]	400.000
	200 [\div] 7 [=] The intermediate result is automatically rounded to the specified three decimal places.	28.571
The stored 10-digit result (28.571421857) is used when you continue the calculation by simply pressing [\times] or any other arithmetic function key.	[\times]	Ans \times _
	14 [=] (The final result is automatically rounded to the specified three decimal places.)	400.000
Cancel specification by specifying Norm 1 again.	[Mode][Mode][Mode] [Mode] [\rightarrow][\rightarrow][=][1]	400.

◆ Rounding the Intermediate Result

As the number of decimal places is specified, the intermediate result will be automatically rounded to the specified decimal places. However, the stored intermediate result is not rounded. In order to match the displayed value and the stored value, **[SHIFT] [RND]** can be input.

You can compare the final result obtained in the previous example with the final result of the following example.

Example	Operation	Display
$200 \div 7 \times 14 = 400$	200 [\div] 7 [\times] 14 [=]	400.
rounded to three decimal places	[Mode][Mode][Mode] [Mode] [=][3]	400.000
	200 [\div] 7 [=] (The intermediate result is automatically rounded to the specified three decimal places.)	28.571
round the stored intermediate result to the specified three decimal places	[Shift][RND]	28.571
	[\times]	Ans \times
	14[=]	399.994
Cancel specification by specifying Norm1 again.	[Mode][Mode][Mode] [Mode] [\rightarrow][\rightarrow][=][1]	399.994

◆ Specifying the Number of Significant Digits

This specification is used to automatically round intermediate results and final results to the number of digits you have specified.

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As with the number of decimal places, displayed results are rounded to the specified number of digits, but stored results are normally not rounded.

To specify the number of significant digits (Sci.), select "SCI" in the sub-menu "Fix/Sci/Norm" and then you are asked to enter a value indicating the number of significant digits (0~9) as below.

S c i 0 ~ 9 ?

(Note : "0" indicating 10 significant digits.)

Meanwhile, the "SCI" indicator will appear on the display.

Example	Operation	Display
$100 \div 6 = 16.66666666\dots$	100 [÷] 6 [=]	16.66666667
Specify 5 significant digits	[Mode][Mode][Mode] [Mode] [→][=][5]	1.6667 ⁰¹
Cancel specification by specifying Norm 1 again.	[Mode][Mode][Mode] [Mode] [→][→][=][1]	16.66666667

◆ *Shifting the Decimal Place*

You can use the key **ENG** to shift the decimal point of the displayed value three places to the left or right. Each 3-place shift to the left is the same as dividing the value by 1000, and each shift to the right is the same as multiplying by 1000. This means that this function is useful when converting metric weights and measures to other metric units.

Example	Operation	Display
$123\text{m} \times 456 = 56088\text{m}$ $= 56.088\text{km}$	123 [×] 456 [=]	56088.
	[ENG]	56.088 ⁰³
$78\text{g} \times 0.96 = 74.88\text{g}$ $= 0.07488\text{kg}$	78 [×] 0.96 [=]	74.88
	[Shift][←-ENG]	0.07488 ⁰³

II.d. Memory

This calculator contains 9 standard memories. There are two basic types of memories, i.e., "variable" memories, which are accessed by using the **STO** and **RCL** keys in combination with the alphabets A, B, C, D, E, F, M, X and Y. The independent" memories, which are accessed by using the **M+**, **Shift M-** and **SHIFT RCL** and **M** keys. The variable memory and independent memory utilize the same memory area. Contents of both the variable and independent memories are protected even when the power is turned OFF.

◆ Variable memories

Up to 9 values can be retained in memory at the same time, and can be recalled when desired.

Example Input 123 into memory "A" :-

AC 123

1 2 3 _

STO **A**

A =
1 2 3.

AC

_

SHIFT **RCL** **A**

A =
1 2 3.

When formulas are input, the result of the formula's calculation is retained in memory.

Example Input the result of 123×456 into memory "B" :-

AC 123 **×** 456

1 2 3 × 4 5 6 _

STO **B**

B =
5 6 0 8 8.

AC

_

SHIFT **RCL** **B**

B =
5 6 0 8 8.

If a variable expression is entered, the expression is first calculated according to the values stored in the variable memories used in the expression. The result is then stored in the variable memory specified for the result.

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Example Input the results of $A \times B$ into memory "C" :-

AC **Alpha** **A** **x** **Alpha** **B**

A x B _

STO **C**

C =
6 8 9 8 8 2 4.

AC

_

SHIFT **RCL** **C**

C =
6 8 9 8 8 2 4.

- * Syn ERROR is generated when an attempt is made to input a substitution formula (such as $C = A \times B$) or multistatements (such as $A \times B : C \times D$), and the existing memory contents are retained.

When input is made in a format such as "A=log 2", where the variable is equal to the formula, the results of the calculation are input into the specified memory.

Example Executing "A=log2" :-

AC **Alpha** **A** **Alpha** **=** **log** **2**

A = log 2 _

=

0.301029995

AC

_

SHIFT **RCL** **A**

A =
0.301029995

Deleting memories

To delete all contents of variable memories, press **Shift** followed by **Mcl** **=**.

◆ Independent memories

Addition and subtraction (to and from sum) results can be stored directly in memory. Results can also be totalized in memory, making it easy to calculate sums. The icon "M" will be lighted as long as M is not empty.

Example Input 123 to independent memory.

AC 1 2 3

1 2 3

M+

1 2 3.

Recall memory data.

AC

SHIFT RCL M

M =
1 2 3.

Add 25, subtract 12

25 M+ 12 Shift M-

1 2.

Recall memory data.

AC

SHIFT RCL M

M =
13 6.

To clear memory contents, press 0 STO M .

Addition/subtraction to or from sum in memory cannot be carried out with M+, Shift M- keys in SD mode and LR mode.

Difference between [STO][M] and [M+], [Shift][M-] :-

Both STO M and M+, Shift M- can be used to input results into memory,

however when the [STO][M] operation is used, previous memory contents are cleared. When either M+ or Shift M- is used, value is added or subtracted to or from present sum in memory.

Example Input 456 into memory "M" using STO M procedure. Memory already contains value of 123.

AC 1 2 3 STO M

M =
1 2 3.

AC 4 5 6 STO M

M =
4 5 6.

AC

SHIFT RCL M

M =
4 5 6.

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Example Input 456 into memory "M" using $M+$. Memory already contains value of 123.

AC 1 2 3 STO M

M =
123.

AC 4 5 6 $M+$

456
456.

AC

$SHIFT$ RCL M

M =
579.

IIe. Special Functions

◆ Answer function

This unit has an answer function that stores the result of the most recent calculation. Once a numeric value or numeric expression is entered and $=$ is pressed, the result is stored by this function.

To recall the stored value, press $SHIFT$ ANS . When $SHIFT$ ANS are pressed, "Ans" will appear on the display, and the value can be used in subsequent calculations.

Example $123 + 456 = 579$
 $789 - 579 = 210$

AC 1 2 3 + 4 5 6 =

579.

7 8 9 - $SHIFT$ ANS

789 - Ans

=

210.

Numeric values with 12 digits for a mantissa and 2 digits for an exponent can be stored in the Ans memory. The Ans memory is not erased even if the power of the unit is turned OFF. Each time $=$, $SHIFT$ $\%$, $M+$, $SHIFT$ $M-$, and STO α ($\alpha = A \sim F, M, X, Y$) is pressed, the value in the Ans memory is replaced with the new value produced by the calculation execution. When execution of a calculation results in an error, however, the Ans memory retains its current value.

Note:- Contents of Ans memory are not altered when $SHIFT$ RCL α ($\alpha = A \sim F, M, X, Y$) is used to recall contents of variable memory. Also, contents of Ans memory are not altered when variables are input when the variable input prompt is displayed.

◆ Omitting the multiplication sign (\times)

When inputting a formula as it is written, from left to right, it is possible to omit the multiplication sign (\times) in the following cases :-

1) before the following functions :-

$\sin, \cos, \tan, \sin^{-1}, \cos^{-1}, \tan^{-1}, \sinh, \cosh, \tanh, \sinh^{-1}, \cosh^{-1}, \tanh^{-1}, \log, \ln, 10^x, e^x, \sqrt{\quad}, \sqrt[3]{\quad}, \text{Pol}(x,y), \text{Rec}(r, \theta)$

example, $2\sin 30, 10\log 1.2, 2\sqrt{3}, 2\text{Pol}(5, 12)$, etc.

2) Before fixed numbers, variables and memories :-

example, $2\pi, 2AB, 3\text{Ans}$, etc.

3) Before parentheses :-

example, $3(5+6), (A+1)(B-1)$, etc.

◆ Continuous calculation function

Even if calculations are concluded with the [=] key, the result obtained can be used for further calculations. In this case, calculations are performed with 10 digits for the mantissa which is displayed.

Example To calculate $\div 3.14$ continuing after $3 \times 4 = 12$:-

AC 3 \times 4 =

12.

(Continuing) \div 3 \cdot 1 4

Ans \div 3.14

=

3.821656051

Example To calculate $1 \div 3 \times 3 =$:

AC 1 \div 3 \times 3 =

1.

1 \div 3 =

0.3333333333

(Continuing) \times 3

Ans \times 3

=

1.

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This function can be used with Type A functions (x^2 , x^{-1} , $x!$), $+$, $-$, x^y , \sqrt{x} and $\sqrt[n]{x}$.

Example Squaring the result of $78 \div 6 = 13$:-

AC 7 8 \div 6 =

13.

(Continuing) x^2

Ans² _

=

169.

◆ *Replay function*

This function stores formulas that have been executed. After execution complete, pressing either the \leftarrow or \rightarrow key will display the formula executed.

Pressing \rightarrow will display the formula from the beginning, with the cursor located under the first character.

Pressing \leftarrow will display the formula from the end, with the cursor located at the space following the last character. After this, using the \rightarrow and \leftarrow to move the cursor, the formula can be checked and numeric values or commands can be changed for subsequent execution.

Example AC 1 2 3 \times 4 5 6 =

56088.

\rightarrow

123 \times 456

=

56088.

\leftarrow

123 \times 456 _

Example $4.12 \times 3.58 + 6.4 = 21.496$
 $4.12 \times 3.58 - 7.1 = 7.6496$

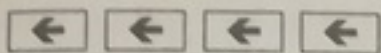
AC 4.12 \times 3.58 $+$ 6.4 =

21.496

\leftarrow

12 \times 3.58 $+$ 6.4 _

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$$4.12 \times 3.58 + 6. \rightarrow$$

$\boxed{-}$ 7.1

$$12 \times 3.58 - 7.1 \leftarrow$$

$\boxed{=}$

$$7.6496$$

The replay function is not cleared even when \boxed{AC} is pressed or when power is turned OFF, so contents can be recalled even after \boxed{AC} is pressed.

Replay function is cleared when mode or operation is switched.

◆ Error position display function

When an ERROR message appears during operation execution, the error can be cleared by pressing the \boxed{AC} key, and the values or formula can be re-entered from the beginning. However, by pressing the $\boxed{\leftarrow}$ or $\boxed{\rightarrow}$ key, the ERROR message is cancelled and the cursor moves to the point where the error was generated.

Example $14 \div 0 \times 2.3$ is input by mistake

\boxed{AC} 14 $\boxed{\div}$ 0 $\boxed{\times}$ 2.3 $\boxed{=}$

Ma ERROR

$\boxed{\leftarrow}$ (or $\boxed{\rightarrow}$)

$14 \div 0 \times 2.3$

Correct the input by pressing $\boxed{\leftarrow}$ \boxed{Shift} \boxed{Ins} $\boxed{1}$

$14 \div 10 \times 2.3$

$\boxed{=}$

3.22

◆ Multistatement function

- * The multistatement function (using " \blacktriangle " to separate formulas or statements) available in program calculations can also be used for manual calculations.
- * When $\boxed{=}$ is pressed to execute a formula input using the multistatement format, the formula is executed in order from the beginning. The calculation result up to the point of " \blacktriangle " will be displayed till you press $\boxed{=}$ again to continue the calculation.

Example $6.9 \times 123 = 848.7$
 $123 \div 3.2 = 38.4375$

AC 123 STO A 6.9 x ALPHA A ALPHA ALPHA A + 3.2

DISP
848.7

"Disp" appears on the display when "▲" is used.

=

38.4375

- * Even if "▲" is not input at the end of a formula, the final result will be displayed.
- * Consecutive calculations containing multistatements cannot be performed.
 $123 \times 456 \blacktriangle \times 5$
 □ invalid
- * Calculations can be performed while an intermediate result is displayed during execution interrupted by "▲".

Example $5 \times 6 \blacktriangle 7 \times 8$

AC 5 x 6 ALPHA ▲ 7 x 8

=

D
5 x 6 ▲ 7 x 8 _

DISP
30.

sin Ans

D
DISP
sin Ans

=

D
DISP
0.5

When interrupt operation is completed, press [=] once again to execute.

=

D
56.

II f. Scientific function

◆ Trigonometric functions and inverse trigonometric functions

- * Be sure to set the unit of angular measurement before performing trigonometric function and inverse trigonometric function calculations.
- * The unit of angular measurement (degrees, radians, grads) is selected in sub-menu.
- * Once a unit of angular measurement is set, it remains in effect until a

new unit is set. Settings are not cleared when power is switched OFF.

- * This operation is invalid in the BASE-N mode. When in the BASE-N mode, go back to COMP mode by selecting "COMP" in the main menu.

Example	Operation	Display
$\sin 63^\circ 52' 41'' = 0.897859012$	[MODE][MODE] [Mode] [=] → "D" [sin] 63 [° ' "] 52 [° ' "] 41 [° ' "][=]	0.897859012
$\cos (\pi/3 \text{ rad}) = 0.5$	[MODE][MODE] [Mode] [→][=] → "R" [cos][()][shift][π][÷] 3 [)][=]	0.5
$\tan (-35 \text{ gra}) = -0.612800788$	[MODE][MODE] [Mode] [→][=] → "G" [tan][(-) 35 [=]	-0.612800788
$2\sin 45^\circ \times \cos 65^\circ = 0.597672477$	[MODE][MODE] [Mode] [=] → "D" 2[sin] 45 [cos] 65 [=]	0.597672477
$\sin^{-1} 0.5 = 30$	[Shift][sin ⁻¹] 0.5 [=]	30.
$\cos^{-1} (\sqrt{2}/2) = 0.785398163 \text{ rad}$ $= \pi/4 \text{ rad}$	[MODE][MODE] [Mode] [→][=] → "R" [Shift][cos ⁻¹][()][√] 2 [÷] 2 [)][=] [÷][Shift][π][=]	0.785398163 0.25
$\tan^{-1} 0.741 = 36.53844577^\circ$ $= 36^\circ 32' 18.4''$	[MODE][MODE] [Mode] [=] → "D" [Shift][tan ⁻¹] 0.741[=] [Shift][←° ' "]	36.53844577 36° 32' 18.4"
If the total number of digits for degrees/minutes/seconds exceed 11 digits, the higher order values are	given display priority, and any lower-order values are not displayed. However, the entire value is stored within	the unit as a decimal value.
$2.5 \times (\sin^{-1} 0.8 - \cos^{-1} 0.9)$ $= 68^\circ 13' 13.53''$	2.5 [×][()][Shift][sin ⁻¹] 0.8 [-][Shift][cos ⁻¹] 0.9 [)][=][Shift][←° ' "]	68.22042398 68° 13' 13.53"

◆ Logarithmic and exponential functions

The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after selecting "COMP" mode in main menu.

Example	Operation	Display
$\log 1.23 = 8.9905111 \times 10^{-2}$	[log] 1.23 [=]	0.089905111
$\ln 90 = 4.49980967$	[ln] 90 [=]	4.49980967
$\log 456 \div \ln 456 = 0.434294481$	[log] 456 [÷] [ln] 456 [=]	0.434294481

Example	Operation	Display
$10^{1.23} = 16.98243652$	[Shift][10 ^x] 1.23 [=]	16.98243652
$e^{4.5} = 90.0171313$	[Shift][e ^x] 4.5 [=]	90.0171313
$10^4 \cdot e^{-4} + 1.2 \cdot 10^{2.3} = 422.5878667$	[Shift][10 ^x] 4 [×][Shift][e ^x][(-)] 4 [+] 1.2 [×][Shift][10 ^x] 2.3 [=]	422.5878667
$(-3)^4 = 81$	[(-)][3][^] 4 [=]	81.
$-3^4 = -81$	[(-)] 3 [x ^y] 4 [=]	-81.
$5.6^{2.3} = 52.58143837$	5.6 [x ^y] 2.3 [=]	52.58143837
$\sqrt[7]{123} = 1.988647795$	7 [Shift][x [√]] 123 [=]	1.988647795
$(78 - 23)^{-12} = 1.305111829 \times 10^{-21}$	[() 78 [-] 23 [)][x ^y][(-)] 12 [=]	1.305111829 ⁻²¹
$2 + 3 \times \sqrt[3]{64} - 4 = 10$	2 [+] 3 [×] 3 [Shift][x ^y] 64 [-] 4 [=]	10.
$2 \times 3.4^{(5+8.7)} = 3306232$	2 [×] 3.4 [x ^y][() 5 [+] 6.7 ()][=]	3306232.001

◆ Performing hyperbolic and inverse hyperbolic functions

The following operation is invalid in the BASE-N mode. When the user is in the BASE-N mode, he/she should go back to COMP mode before carrying out calculation.

Example	Operation	Display
$\sinh 3.6 = 18.28545536$	[hyp][sin] 3.6 [=]	18.28545536
$\cosh 1.23 = 1.856761057$	[hyp][cos] 1.23 [=]	1.856761057
$\tanh 2.5 = 0.986614298$	[hyp][tan] 2.5 [=]	0.986614298
$\cosh 1.5 - \sinh 1.5 = 0.22313016$	[hyp][cos] 1.5 [-] [hyp][sin] 1.5 [=]	0.22313016
$\sinh^{-1} 30 = 4.094622224$	[hyp][Shift][sin ⁻¹] 30 [=]	4.094622224
$\cosh^{-1} (20/15) = 0.795365461$	[hyp][Shift][cos ⁻¹][() 20 [÷] 15 ()][=]	0.795365461
$x = (\tanh^{-1} 0.88) / 4 = 0.343941914$	[hyp][Shift][tan ⁻¹] 0.88 [÷] 4 [=]	0.343941914
$\sinh^{-1} 2 \times \cosh^{-1} 1.5 = 1.389388923$	[hyp][Shift][sin ⁻¹] 2 [×][hyp][Shift][cos ⁻¹] 1.5 [=]	1.389388923
$\sinh^{-1} (2/3) + \tanh^{-1} (4/5) = 1.723757406$	[hyp][Shift][sin ⁻¹][() 2 [÷] 3 ()] [+] [hyp][Shift][tan ⁻¹][() 4 [÷] 5 ()][=]	1.723757406

◆ Coordinate transformation

- * This scientific calculator lets you convert between rectangular coordinates and polar coordinates, i.e., $P(x, y) \leftrightarrow P(r, \theta)$
- * Calculation results are stored in variable memory E and variable memory F. Contents of variable memory E are displayed initially. To display contents of memory F, press **RCL** **F**.
- * With polar coordinates, θ can be calculated within a range of $-180^\circ < \theta \leq 180^\circ$. (Calculated range is the same with radians or grads.)
- * The following operation is invalid in the BASE-N mode. Before carry out calculation, one should switch back to COMP mode.

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Example	Operation	Display
$x=14$ and $y=20.7$, what are r and θ° ?	[MODE][MODE] [Mode] [=] \rightarrow "D" [Shift][Pol() 14 [,] 20.7 [)]][=] [Shift][RCL][F][\leftarrow° ""]	24.98979792 (r) 55° 55' 42.2" (θ)
$x=7.5$ and $y = -10$, what are r and θ rad?	[MODE][MODE] [Mode] [\rightarrow] [=] "R" [Shift][Pol() 7.5 [,] [(-)] 10 [)]][=] [Shift][RCL][F]	12.5 (r) -0.927295218 (θ)
$r=25$ and $\theta=56^\circ$, what are x and y ?	[MODE][MODE] [Mode] [=] \rightarrow "D" [Shift][Rec() 25 [,] 56 [)]][=] [Shift][RCL][F]	13.97982259 (x) 20.72593931 (y)
$r=4.5$ and $\theta = 2\pi/3$ rad, what are x and y ?	[MODE][MODE] [Mode] [\rightarrow] [=] "R" [Shift][Rec() 4.5 [,] [() 2 [Shift][π] [\div] 3 [)]][=] [Shift][RCL][F]	-2.25 (x) 3.897114317 (y)

◆ *Other functions ($\sqrt{\quad}$, x^2 , x^{-1} , $x!$, $\sqrt[3]{\quad}$, Ran#)*

The following operations is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after going back to COMP mode.

Example	Operation	Display
$\sqrt{2} + \sqrt{5} = 3.65028154$	$\sqrt{\quad} 2 + \sqrt{\quad} 5 =$	3.65028154
$2^2 + 3^2 + 4^2 + 5^2 = 54$	2 x^2 + 3 x^2 + 4 x^2 + 5 x^2 =	54.
$(-3)^2 = 9$	((-) 3) x^2 =	9.
$-3^2 = -9$	(-) 3 x^2 =	-9.
$1/(1/3 - 1/4) = 12$	(3 x^{-1} - 4 x^{-1}) x^{-1} =	12.
$8! = 40320$	8 Shift $x!$ =	40320.
$\sqrt[3]{(36 \times 42 \times 49)} = 42$	Shift $\sqrt[3]{\quad}$ (36 \times 42 \times 49) =	42.
Random number generation (number is in the range of 0.000 to 0.999)	Shift Ran# =	0.792
$\sqrt{(1 - \sin^2 40)} = 0.766044443$	MODE MODE MODE = \rightarrow "D" $\sqrt{\quad}$ (1 - (sin 40) x^2) = Shift \cos^{-1} Shift Ans =	0.766044443 40.
$1/2! + 1/4! + 1/6! + 1/8!$ $= 0.543080357$	2 Shift $x!$ Shift x^{-1} + 4 Shift $x!$ Shift x^{-1} + 6 Shift $x!$ Shift x^{-1} + 8 Shift $x!$ Shift x^{-1} =	0.543080357

◆ Fractions

Fractions are input and displayed in the order of integer, numerator and denominator.

Example	Operation	Display
$2/5 + 3^{1/4} = 3^{13}/20$ $= 3.65$	2 $\frac{a}{b}$ 5 $\frac{+}{+}$ 3 $\frac{a}{b}$ 1 $\frac{a}{b}$ 4 $\frac{=}{=}$ (conversion to decimal) $\frac{a}{b}$ Fractions can be converted to decimals, and then converted back to fractions.	3 $\frac{13}{20}$ 3.65
$3^{456}/78 = 8^{11}/13$	3 $\frac{a}{b}$ 456 $\frac{a}{b}$ 78 $\frac{=}{=}$ Shift $\frac{a}{b}$	8 $\frac{11}{13}$ 115 $\frac{13}{13}$
$1/2578 + 1/4572 = 6.066202547 \times 10^{-4}$	1 $\frac{a}{b}$ 2578 $\frac{+}{+}$ 1 $\frac{a}{b}$ 4572 $\frac{=}{=}$ When the total number of characters, including integer, numerator, denominator and delimiter mark exceeds 10, the input fraction is automatically displayed in decimal format.	6.066202547 ⁻⁰⁴
$1/2 \times 0.5 = 0.25$	1 $\frac{a}{b}$ 2 $\frac{\times}{\times}$.5 $\frac{=}{=}$	0.25
$1/3 \times (-4/5) - 5/6 = -1^{1}/10$	1 $\frac{a}{b}$ 3 $\frac{\times}{\times}$ -4 $\frac{a}{b}$ 5 $\frac{-}{-}$ 5 $\frac{a}{b}$ 6 $\frac{=}{=}$	-1 $\frac{1}{10}$
$1/2 \times 1/3 + 1/4 \times 1/5 = 13/60$	1 $\frac{a}{b}$ 2 $\frac{\times}{\times}$ 1 $\frac{a}{b}$ 3 $\frac{+}{+}$ 1 $\frac{a}{b}$ 4 $\frac{\times}{\times}$ 1 $\frac{a}{b}$ 5 $\frac{=}{=}$	13 $\frac{60}{60}$
$(1/2)/3 = 1/6$	(1 $\frac{a}{b}$ 2) $\frac{a}{b}$ 3 $\frac{=}{=}$	1 $\frac{6}{6}$
$1/(1/3 + 1/4) = 1^{5}/7$	1 $\frac{a}{b}$ (1 $\frac{a}{b}$ 3 $\frac{+}{+}$ 1 $\frac{a}{b}$ 4) $\frac{=}{=}$	1 $\frac{5}{7}$

IIg. Degrees, Minutes, Seconds Calculations

You can perform sexagesimal calculations using degrees (hours), minutes and seconds. And convert between sexagesimal and decimal values.

Example	Operation	Display
To express 2.258 degrees in deg/min/sec.	2.258 =[Shift][← ° ' "]	2° 15' 28.8"
To perform the calculation :- $12^{\circ}34'56'' \times 3.45$	12 [° ' "] 34 [° ' "] 56 [° ' "] [\times] 3.45 [=]	43° 24' 31.2"

IIIh. Binary, octal, decimal, hexadecimal calculations

- * Binary, octal, decimal, hexadecimal calculations, conversions and logical operations are performed in BASE-N mode (press **MODE** → → → → **=**)
- * The number system (2, 8, 10, 16) is set by respectively pressing **BIN**, **OCT**, **DEC**, **HEX**. A corresponding symbol "b", "o", "d" or "H" appears on the display.
- * Number systems are specified for specific values by pressing **SHIFT**, then the numbers system designator (b, o, d, h), immediately followed by the value.
- * General function calculations cannot be performed in the BASE-N mode.
- * Only integers can be handled in the BASE-N mode. If a calculation produces a result that includes a decimal value, the decimal portion is cut off.
- * If values not valid for the particular number system are used, attach the corresponding designator (b, o, d or h), or an error message will appear.

Number system	Valid values
Binary	0, 1
Octal	0, 1, 2, 3, 4, 5, 6, 7
Decimal	0, 1, 2, 3, 4, 5, 6, 7, 8, 9
Hexadecimal	0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E, F

- * Negative numbers in binary, octal, hexadecimal are expressed as two's complements.
- * Number of digits displayed in each number system

Number system	Number of digits displayed
Binary	Up to 10 digits
Octal	Up to 10 digits
Decimal	Up to 10 digits
Hexadecimal	Up to 8 digits

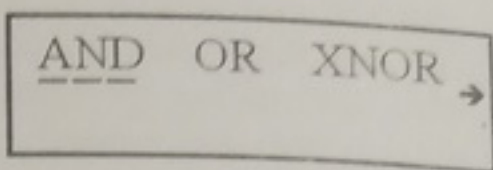
* Calculation range (in BASE-N mode)

Binary	Positive	: $0111111111 \geq x \geq 0$
	Negative	: $1111111111 \geq x \geq 1000000000$
Octal	Positive	: $3777777777 \geq x \geq 0$
	Negative	: $7777777777 \geq x \geq 4000000000$
Decimal	Positive	: $2147483647 \geq x \geq 0$
	Negative	: $-1 \geq x \geq -2147483648$
Hexadecimal	Positive	: $7FFFFFFF \geq x \geq 0$
	Negative	: $FFFFFFFF \geq x \geq 80000000$

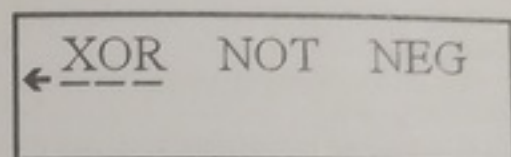
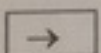
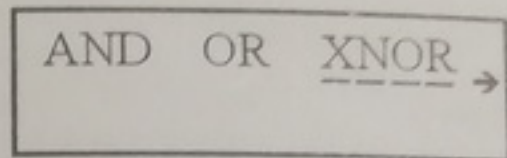
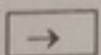
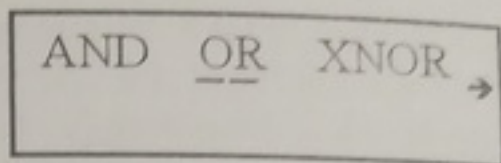
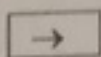
* Sub-menu for BASE-N operation

In the sub-menu, you can select operators AND, OR, XNOR, XOR, NOT, and NEG

Press **LOGIC** to open the menu.



Press **→** consecutively to select the operator.



After locating the desired operator, press **=** to confirm and go back to input mode.

◆ Binary, octal, decimal, hexadecimal conversions

Conversion using number system specification key

Value from a different number system input when a specific number system mode is being used.

Example	Operation	Display
What are the decimal values for $2A_{16}$ and 274_3 ?	MODE → → → → = DEC	^d
	→ "d"	
	SHIFT [h] 2A = SHIFT [o] 274 =	42 ^d 188 ^d
What are the hexadecimal values for 123_{10} and 1010_2 ?	HEX → "H"	
	SHIFT [d] 123 = SHIFT [b] 1010 =	7B ^h A ^h
What are the octal values for 15_{16} and 1100_2 ?	OCT → "o"	
	SHIFT [h] 15 = SHIFT [b] 1100 =	25 ^o 14 ^o
What are the binary values for 36_{10} and $2C_{16}$?	BIN → "b"	
	SHIFT [d] 36 = SHIFT [h] 2C =	100100 ^b 101100 ^b

Conversion using number system mode key

Calculation results can be converted to any specified number system by using the corresponding number system mode key.

Example	Operation	Display
How is 22_{10} expressed in binary, octal and hexadecimal number system?	$\text{MODE} \rightarrow \rightarrow \rightarrow \rightarrow =$ $\text{DEC} \rightarrow "d"$ $22 =$ BIN OCT HEX	22^d 10110^b 26^o 16^h

◆ Basic arithmetic operations using binary, octal, decimal, hexadecimal values

Example	Operation	Display
$10111_2 + 11010_2 = 110001_2$	$\text{MODE} \rightarrow \rightarrow \rightarrow \rightarrow =$ $\text{BIN} \rightarrow "b"$ $10111 + 11010 =$	110001^b
$B47_{16} - DF_{16} = A68_{16}$	$\text{HEX} \rightarrow "H"$ $B47 - DF =$	$A68^h$
$123_8 \times ABC_{16} = 37AF4_{16}$ $= 228084_{10}$	$\text{SHIFT} [o] 123 \times ABC =$ DEC	$37AF4^h$ 228084^d
$1F2D_{16} - 100_{10} = 7881_{10}$ $= 1EC9_{16}$	$\text{SHIFT} [h] 1F2D - 100$ $=$ HEX	7881^d $1EC9^h$
$7654_8 \div 12_{10} = 334.3333333_{10}$ $= 516_8$	$\text{DEC} \rightarrow "d"$ $\text{SHIFT} [o] 7654 \div 12 =$ OCT	334^d 516^o
$1234_{10} + 1EF_{16} \div 24_8$ $= 2352_8$ $= 1258_{10}$	$\text{SHIFT} [d] 1234 + \text{SHIFT}$ $[h] 1EF \div 24 =$ DEC	2352^o 1258^d

◆ Negative expressions

Example	Operation	Display
How is 110010_2 expressed as a negative?	MODE → → → → = BIN → "b" LOGIC → → → → → = 110010 =	Neg1111001110 ^b
How is 72_8 expressed as a negative?	OCT → "o" LOGIC → → → → → 72 =	Neg7777777706 ^o
How is $3A_{16}$ expressed as a negative?	HEX → "H" LOGIC → → → → → 3A =	NegFFFFFFC6 ^h

◆ Logical operations

Logical operations are performed through logical products (and), logical sums (or), negative (Not), exclusive logic sums (xor), and negation of exclusive logical sums (xnor).

Example	Operation	Display
$19_{16} \text{ AND } 1A_{16} = 18_{16}$	MODE → → → → = HEX → "H" 19 LOGIC = 1A =	18 ^h
$1110_2 \text{ AND } 36_8 = 1110_2$	BIN → "b" 1110 LOGIC = SHIFT [h] 36 =	110 ^b
$23_8 \text{ OR } 61_8 = 63_8$	OCT → "o" 23 LOGIC → = 61 =	63 ^o
$120_{16} \text{ OR } 1101_2 = 12D_{16}$	HEX → "H" 120 LOGIC → = SHIFT [b] 1101 =	12d ^h
$1010_2 \text{ AND } (A_{16} \text{ OR } 7_{16}) = 1010_2$	BIN → "b" 1010 LOGIC = (SHIFT [h] A LOGIC → = SHIFT [h] 7) =	1010 ^b
$5_{16} \text{ XOR } 3_{16} = 6_{16}$	HEX → "H" 5 LOGIC → → → = 3 =	6 ^h
$2A_{16} \text{ XNOR } 5D_{16} = \text{FFFFFF88}_{16}$	HEX → "H" 2A LOGIC → → = 5D =	Neg FFFFFF88 ^h
Negation of 1234 ₈	OCT → "o" LOGIC → → → → → = 1234 =	Neg 7777776544 ^o
Negation of 2FFFD ₁₆	HEX → "H" LOGIC → → → → → = 2FFFD =	Neg FFD00013 ^h

III. Statistical calculations

This unit can be used to make statistical calculations including standard deviation in the SD mode, and regression calculation in the REG mode.

◆ Standard deviation

In the SD mode, calculations including 2 types of standard deviation formulas, mean, number of data, sum of data, and sum of square can be performed.

Data input

1. Press **MODE** **→** **→** **=** to specify SD mode.
2. Press **SHIFT** **Scl** **=** to clear the statistical memories.
3. Input data, pressing **DT** key (= **M+**) each time a new piece of data is entered.

Example Data: 10, 20, 30
Key operation: 10 **DT** 20 **DT** 30 **DT**

- * When multiples of the same data are input, two different entry methods are possible.

Example 1 Data: 10, 20, 20, 30
Key operation: 10 **DT**, 20 **DT** **DT** 30 **DT**

The previously entered data is entered again each time the **DT** is pressed without entering data (in this case 20 is re-entered).

Example 2 Data: 10, 20, 20, 20, 20, 20, 20, 30,
Key operation: 10 **DT** 20 **SHIFT** **;** 6 **DT** 30 **DT**

By pressing **SHIFT** and then entering a semicolon followed by value that represents the number of items the data is repeated (6, in this case) and the **DT** key, the multiple data entries (for 20, in this case) are made automatically.

Deleting input data

There are various ways to delete value data, depending on how and where it was entered.

Example 1 40 **DT** 20 **DT** 30 **DT** 50 **DT**
To delete 50, press **SHIFT** **CL**.

Example 2 40 **DT** 20 **DT** 30 **DT** 50 **DT**
To delete 20, press 20 **SHIFT** **CL**.

Example 3 30 **DT** 50 **DT** 120 **SHIFT** **;**
To delete 120 **SHIFT** **;**, press **AC**

Example 4 30 **DT** 50 **DT** 120 **SHIFT** **;** 31
To delete 120 **SHIFT** **;** 31, press **AC**.

Example 5 30 **DT** 50 **DT** 120 **SHIFT** **;** 31 **DT**
To delete 120 **SHIFT** **;** 31 **DT**, press **SHIFT** **CL**.

Example 6 50 **DT** 120 **SHIFT** **;** 31 **DT** 40 **DT** 30 **DT**
To delete 120 **SHIFT** **;** 31 **DT**, press 120 **SHIFT** **;** 31 **SHIFT** **CL**.

Example 7 $\sqrt{}$ 10 **DT** $\sqrt{}$ 20 **DT** $\sqrt{}$ 30 **DT**
To delete $\sqrt{}$ 20 **DT**, press $\sqrt{}$ 20 **Ans** **SHIFT** **CL**.

Example 8 $\sqrt{}$ 10 **DT** $\sqrt{}$ 20 **DT** $\sqrt{}$ 30 **DT**
To delete $\sqrt{}$ 20 **DT**, press $\sqrt{}$ 20 **SHIFT** **;** **(-)** 1 **DT**.

Performing calculations

The following procedures are used to perform the various standard deviation calculations.

Key operation	Result
SHIFT $x\sigma_n$ =	Population standard deviation, $x\sigma_n$
SHIFT $x\sigma_{n-1}$ =	Sample standard deviation, $x\sigma_{n-1}$
SHIFT \bar{x} =	Mean, x
Alpha Σx^2 =	Sum of square of data, Σx^2
Alpha Σx =	Sum of data, Σx
Alpha n =	Number of data, n

Standard deviation and mean calculations are performed as shown below:

Population standard deviation $\sigma_n = \sqrt{(\sum(x_i - x)^2 / n)}$ where $i = 1$ to n

Sample standard deviation $\sigma_{n-1} = \sqrt{(\sum(x_i - x)^2 / (n-1))}$ where $i = 1$ to n

Mean $x = \Sigma x / n$

Example	Operation	Display
Data 55, 54, 51, 55, 53, 53, 54, 52	MODE → → = → "SD" (Memory cleared) SHIFT Scl = 55 DT 54 DT 51 DT 55 DT 53 DT DT 54 DT 52 DT	52.

What is deviation of the unbiased variance, the difference between each datum, and the mean of the above data?	(Standard deviation σ_n) Shift $x\sigma_n$ =	1.316956719
	(Standard deviation σ_{n-1}) Shift $x\sigma_{n-1}$ =	1.407885953
	(Mean x) Shift \bar{x} =	53.375
	(Number of data n) Alpha n =	8.
	(Sum total Σx) Alpha Σx =	427.
	(Sum of squares Σx^2) Alpha Σx^2 =	22805.
	(Continuing) Shift $x\sigma_{n-1}$ x^2 =	1.982142857
	55 - Shift \bar{x} =	1.625
	54 - Shift \bar{x} =	0.625
	51 - Shift \bar{x} =	-2.375
What is x and σ_{n-1} for the following table? Class no. Value Frequency	Shift Scl =	0.
	110 SHIFT ; 10 DT	110.
	130 SHIFT ; 31 DT	130.
	150 SHIFT ; 24 DT	150.
	170 DT DT	170.
	190 DT DT DT	190.
	Alpha n =	70.
	Shift \bar{x} =	137.7142857
	Shift $x\sigma_{n-1}$ =	18.42898069

◆ Regression calculation

In the REG mode, calculations including linear regression, logarithmic regression, exponential regression, power regression, quadratic regression and inverse regression can be performed.

i. Linear regression

Linear regression calculations are carried out using the following formula:
 $y = A + Bx$.

Data input

1. Press **MODE** \rightarrow \rightarrow \rightarrow **=** to specify the REG mode.
2. Press **Shift** **Scl** **=** to clear the statistical memories.
3. Input data in the following format: $\langle x \text{ data} \rangle$ **,** $\langle y \text{ data} \rangle$ **DT**

* When multiples of the same data are input, two different entry methods are possible:

Example 1 Data: 10/20, 20/30, 20/30, 40/50

Key operation: 10 **,** 20 **DT**
20 **,** 30 **DT** **DT**
40 **,** 50 **DT**

The previously entered data is entered again each time the **DT** key is pressed (in this case 20/30 is re-entered).

Example 2 Data: 10/20, 20/30, 20/30, 20/30, 20/30, 20/30, 40/50

Key operation: 10 **,** 20 **DT**
20 **,** 30 **SHIFT** **;** 5 **DT**
40 **,** 50 **DT**

By pressing **SHIFT** and then entering a semicolon followed by a value that represents the number of times the data is repeated (5, in this case) and the **DT** key, the multiple data entries (for 20/30, in this case) are made automatically.

Deleting input data

There are various ways to delete value data, depending on how and where it was entered.

Example 1 10 **,** 40 **DT**
20 **,** 20 **DT**
30 **,** 30 **DT**
40 **,** 50
To delete 40 **,** 50, press **AC**.

Example 2 10 **,** 40 **DT**
20 **,** 20 **DT**
0 **,** 30 **DT**
40 **,** 50 **DT**
To delete 40 **,** 50 **DT**, press **SHIFT** **CL**.

Example 3 To delete 20 **,** 20 **DT**, press 20 **,** 20 **SHIFT** **CL**.

Example 4 $\sqrt{}$ 10 **,** 40 **DT**
 $\sqrt{}$ 40 **,** 50 **DT**
To delete $\sqrt{}$ 20 **,** 20 **DT**, press $\sqrt{}$ 20 **=** **Ans** **,** 20 **SHIFT** **CL**.

Example 5 To delete $\sqrt{}$ 20 **,** 20 **DT**, press $\sqrt{}$ 20 **,** 20 **SHIFT** **;** **(-)** 1 **DT**.

Key Operations to recall regression calculation results

Key operation	Result
SHIFT A =	Constant term of regression A
SHIFT B =	Regression coefficient B
SHIFT C =	Regression coefficient C
SHIFT r =	Correlation coefficient r
SHIFT \hat{x}	Estimated value of x
SHIFT \hat{y}	Estimated value of y
SHIFT $y\sigma_n$	Population standard deviation, $y\sigma_n$
SHIFT $y\sigma_{n-1}$	Sample standard deviation, $y\sigma_{n-1}$
SHIFT \bar{y}	Mean, y
SHIFT $x\sigma_n$	Population standard deviation, $x\sigma_n$
SHIFT $x\sigma_{n-1}$	Sample standard deviation, $x\sigma_{n-1}$
SHIFT \bar{x}	Mean, x
Alpha Σx^2 =	Sum of square of data, Σx^2
Alpha Σx =	Sum of data, Σx
Alpha n =	Number of data, n
Alpha Σy^2 =	Sum of square of data, Σy^2
Alpha Σy =	Sum of data, Σy
Alpha Σxy =	Sum of data, Σxy

Performing calculations

The following procedures are used to perform the various linear regression calculations.

The regression formula is $y = A + Bx$. The constant term of regression A, regression coefficient B, correlation r , estimated value of x , and estimated value of y are calculated as shown below:

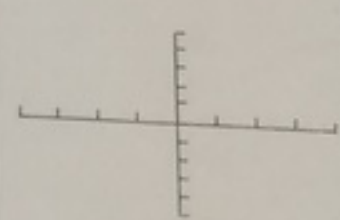
$$A = (\Sigma y - \Sigma x) / n$$

$$B = (n\Sigma xy - \Sigma x\Sigma y) / (n\Sigma x^2 - (\Sigma x)^2)$$

$$r = (n\Sigma xy - \Sigma x\Sigma y) / \sqrt{((n\Sigma x^2 - (\Sigma x)^2)(n\Sigma y^2 - (\Sigma y)^2))}$$

$$y = A + Bx$$

$$x = (y - A) / B$$

Example	Operation	Display	
Temperature and length of a steel bar	MODE \rightarrow \rightarrow \rightarrow $=$ \rightarrow "REG" then select linear regression		
Temp. Length	(Memory clear) Shift ScI $=$		
10°C 1003mm	10 \square 1003 DT		
15°C 1005mm	15 \square 1005 DT		
20°C 1010mm	20 \square 1010 DT		
25°C 1011mm	25 \square 1011 DT		
30°C 1014mm	30 \square 1014 DT		
Using this table, the regression formula and correlation coefficient can be obtained. Based on the coefficient formula, the length of the steel bar at 18°C and the temperature at 1000mm can be estimated. Furthermore, the critical coefficient (r^2) and covariance can also be calculated.	(Constant Term A) Shift A $=$		997.4
	(Regression coefficient B) Shift B $=$		0.56
	(Correlation coefficient r) Shift r $=$		0.982607368
	(Length at 18°C) 18 Shift \hat{y}	1007.48	
	(Temperature at 1000mm) 1000 Shift \hat{x}	4.642857143	
	(Critical coefficient) Shift r x^2 $=$	0.965517241	
	(Covariance) $(\square$ Alpha Σxy $-$ Alpha n \times Shift \bar{x} \times Shift \bar{y} $) - (\square$ Alpha n \square $- 1)$ $=$	35.	

ii. Logarithmic regression

Logarithmic regression calculations are carried out using the following formula:

$$y = A + B \cdot \ln x$$

Data input

1. Press **MODE** \rightarrow \rightarrow \rightarrow $=$ to specify REG mode.
2. Press **SHIFT** **ScI** $=$ to clear the statistical memories.
3. Input data in the following format: $\langle x \text{ data} \rangle \square \langle y \text{ data} \rangle \text{DT}$

* To make multiple entries of the same data, follow procedures described for linear regression.

Deleting input data

To delete input data, follow the procedures described for linear regression.

Performing calculations

The logarithmic regression formula $y = A + B \cdot \ln x$. As x is input, $\ln(x)$ will be stored instead of x itself. Hence, we can treat the logarithmic regression formula same as the linear regression formula. Therefore, the formulas for constant term A , regression coefficient B and correlation coefficient r are identical for logarithmic and linear regression.

Example	Operation	Display
\hat{x}_i	\hat{y}_i	
29	1.6	
50	23.5	
74	38.0	
103	46.4	
118	48.9	
Through logarithmic regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, respective estimated values y and x can be obtained for $x_1 = 80$ and $y_1 = 73$ using the regression formula.		
	MODE → → → = → "REG" then select logarithmic regression SHIFT [Cl] =	
	29 [.] 1.6 [DT]	
	50 [.] 23.5 [DT]	
	74 [.] 38.0 [DT]	
	103 [.] 46.4 [DT]	
	118 [.] 48.9 [DT]	
	Constant term A) SHIFT [A] =	-111.1283976
	(Regression coefficient B) SHIFT [B] =	34.0201475
	(Correlation coefficient r) SHIFT [r] =	0.994013946
	(\hat{y} when $\hat{x}_i = 80$) 80 SHIFT [\hat{y}]	37.94879482
	(\hat{x} when $\hat{y}_i = 73$) 73 SHIFT [\hat{x}]	224.1541313

A number of logarithmic regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Exponential regression
Σx	$\Sigma \ln x$
Σx^2	$\Sigma (\ln x)^2$
Σxy	$\Sigma y \cdot \ln x$

iii. Exponential regression

Exponential regression calculations are carried out using the following formula:

$$y = A \cdot e^{B \cdot x} \quad (\ln y = \ln A + Bx)$$

Data input

1. Press MODE → → → = to specify the REG mode.
2. Press SHIFT [Sc] = to clear the statistical memories.
3. Input data in the following format: <x data> [.] <y data> [DT]

* To make multiple entries of the same data, follow procedures described for linear regression.

Deleting input data

To delete input data, follow the procedures described for linear regression.

Performing calculations

If we assume that $\ln y = y$ and $\ln A = a'$, the exponential regression formula $y = A \cdot e^{B \cdot x}$ ($\ln y = \ln A + Bx$) becomes the linear regression formula $y = a' + bx$ if we store $\ln(y)$ instead of y itself. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical for exponential and linear regression.

A number of exponential regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Exponential regression
Σy	$\Sigma \ln y$
Σy^2	$\Sigma (\ln y)^2$
Σxy	$\Sigma x \cdot \ln y$

Example	Operation	Display
\hat{x}_i	\hat{y}_i	
6.9	21.4	
12.9	15.7	
19.8	12.1	
26.7	8.5	
35.1	5.2	
Through exponential regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, the regression formula is used to obtain the respective estimated values of y and x, when $x_i = 16$ and $y_i = 20$.		
	MODE → → → = → "REG" then select exponential regression. SHIFT [Sc] = 6.9 [.] 21.4 [DT] 12.9 [.] 15.7 [DT] 19.8 [.] 12.1 [DT] 26.7 [.] 8.5 [DT] 35.1 [.] 5.2 [DT] (Constant term A) SHIFT [A] = (Regression Correlation B) SHIFT [B] = (Correlation coefficient r) SHIFT [r] = (\hat{y} when $\hat{x}_i = 16$) 16 SHIFT [\hat{y}] (\hat{x} when $\hat{y}_i = 20$) 20 SHIFT [\hat{x}]	30.49758743 -0.049203708 -0.997247352 13.87915739 8.574868046

iv. Power Regression

Power regression calculations are carried out using the following formula:

$$y = A \cdot x^B \quad (\ln y = \ln A + B \ln x)$$

Data input

1. Press MODE → → → = to specify the REG mode.
2. Press SHIFT [Sc] = to clear the statistical memories.
3. Input data in the following format: <x data> , <y data> [DT]

* To make multiple entries of the same data, follow procedures described for linear regression.

Deleting input data

To delete input data, follow the procedures described for linear regression

Performing calculations

If we assume that $\ln y = y$, $\ln A = a'$ and $\ln x = x$, the power regression formula $y = A \cdot x^B$ ($\ln y = \ln A + B \ln x$) becomes the linear regression formula $y = a' + bx$ if we store $\ln(x)$ and $\ln(y)$ instead of x and y themselves. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical the power and linear regression.

A number of power regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Power regression
Σx	$\Sigma \ln x$
Σx^2	$\Sigma (\ln x)^2$
Σy	$\Sigma \ln y$
Σy^2	$\Sigma (\ln y)^2$
Σxy	$\Sigma \ln x \cdot \ln y$

Example	Operation	Display
\hat{x}_i \hat{y}_i 28 2410 30 3033 33 3895 35 4491 38 5717	MODE → → → = → "REG" then select power regression SHIFT [Sc] = 28 [.] 2410 [DT] 30 [.] 3033 [DT] 33 [.] 3895 [DT] 35 [.] 4491 [DT] 38 [.] 5717 [DT]	
Through power regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, the regression formula is used to obtain the respective estimated values of y and x, when $x_i = 40$ and $y_i = 1000$.	(Constant term A) SHIFT [A] = (Regression Correlation B) SHIFT [B] = (Correlation coefficient r) SHIFT [r] = (\hat{y} when $\hat{x}_i = 40$) 40 SHIFT [\hat{y}] (\hat{x} when $\hat{y}_i = 1000$) 1000 SHIFT [\hat{x}]	0.238801072 2.771866153 0.998906254 6587.674584 20.2622568

v. Inverse Regression

Power regression calculations are carried out using the following formula:

$$y = A + (B/x)$$

Data input

4. Press MODE → → → = to specify the REG mode.
5. Press SHIFT [Sc] = to clear the statistical memories.
6. Input data in the following format: <x data> , <y data> [DT]

* To make multiple entries of the same data, follow procedures described for linear regression.

Deleting input data

To delete input data, follow the procedures described for linear regression

Performing calculations

If $1/x$ is stored instead of x itself, the inverse regression formula $y = A + B/x$ becomes the linear regression formula $y = a + bx$. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical the power and linear regression.

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A number of power regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Power regression
Σx	$\Sigma(1/x)$
Σx^2	$\Sigma(1/x)^2$
Σxy	$\Sigma(y/x)$

Example	Operation	Display
\hat{x}_i	\hat{y}_i	
2	2	
3	3	
4	4	
5	5	
6	6	
Through inverse regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, the regression formula is used to obtain the respective estimated values of y and x, when $x_i = 10$ and $y_i = 9$.		
	$\text{MODE} \rightarrow \rightarrow \rightarrow = \rightarrow$ "REG" then select inverse regression $\text{SHIFT} \text{ScI} =$ 2 \square 2 DT 3 \square 3 DT 4 \square 4 DT 5 \square 5 DT 6 \square 6 DT (Constant term A) $\text{SHIFT} \text{A} =$ (Regression Correlation B) $\text{SHIFT} \text{B} =$ (Correlation coefficient r) $\text{SHIFT} \text{r} =$ \hat{y} when $\hat{x}_i = 10$ 10 $\text{SHIFT} \hat{y}$ \hat{x} when $\hat{y}_i = 9$ 9 $\text{SHIFT} \hat{x}$	2. 3. 4. 5. 6. 7.272727273 -11.28526646 -0.950169099 6.144200627 -6.533575317

vi. Quadratic Regression

Quadratic regression calculations are carried out using the following formula:
 $y = A + Bx + Cx^2$

Data input

- Press $\text{MODE} \rightarrow \rightarrow \rightarrow =$ to specify the REG mode.
- Press $\text{SHIFT} \text{ScI} =$ to clear the statistical memories.
- Input data in the following format: $\langle x \text{ data} \rangle, \langle y \text{ data} \rangle \text{DT}$

* To make multiple entries of the same data, follow procedures described for linear regression.

Deleting input data

To delete input data, follow the procedures described for linear regression

Performing calculations

The following procedures are used to perform the various linear regression calculations.

The regression formula is $y = A + Bx + Cx^2$ where A, B, C are regression coefficients.

$$C = \frac{[(n\Sigma x^2 - (\Sigma x)^2)(n\Sigma x^2 y - \Sigma x^2 \Sigma y) - (n\Sigma x^3 - \Sigma x^2 \Sigma x)(n\Sigma xy - \Sigma x \Sigma y)]}{[(n\Sigma x^2 - (\Sigma x)^2)(n\Sigma x^4 - (\Sigma x^2)^2) - (n\Sigma x^3 - \Sigma x^2 \Sigma x)^2]}$$

$$B = \frac{[n\Sigma xy - \Sigma x \Sigma y - C(n\Sigma x^3 - \Sigma x^2 \Sigma x)]}{(n\Sigma x^2 - (\Sigma x)^2)}$$

$$A = (\Sigma y - B\Sigma x - C\Sigma x^2) / n$$

To read the value of Σx^3 , Σx^4 or $\Sigma x^2 y$, you can recall memory X, Y or M respectively.

Example	Operation	Display
\hat{x}_i	\hat{y}_i	
29	1.6	
50	23.5	
74	38	
103	46.4	
118	48	
Through power regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, the regression formula is used to obtain the respective estimated values of y and x, when $\hat{x}_i = 16$ and $\hat{y}_i = 20$.	$\text{[MODE] [→] [→] [→] [=] → "REG" then select quadratic regression}$ [SHIFT] [Sc] [=] $29 [.] 1.6 \text{[DT]}$ $50 [.] 23.5 \text{[DT]}$ $74 [.] 38 \text{[DT]}$ $103 [.] 46.4 \text{[DT]}$ $118 [.] 48 \text{[DT]}$ (Constant term A) [SHIFT] [A] [=] (Regression Correlation B) [SHIFT] [B] [=] (Correlation coefficient r) [SHIFT] [C] [=] (\hat{y} when $\hat{x}_i = 16$) $16 \text{[SHIFT] [\hat{y}]}$ (\hat{x}_1 when $\hat{y}_i = 20$) $20 \text{[SHIFT] [\hat{x}]}$ (\hat{x}_1 when $\hat{y}_i = 20$) $\text{[SHIFT] [\hat{x}]}$	 -35.59856934 1.495939413 -6.71629667 ⁻⁰³ -13.38291067 47.14556728 175.5872105

IIj. Integration Calculation

Integration calculation can be carried out by entering the integral calculus formula in the following format :-

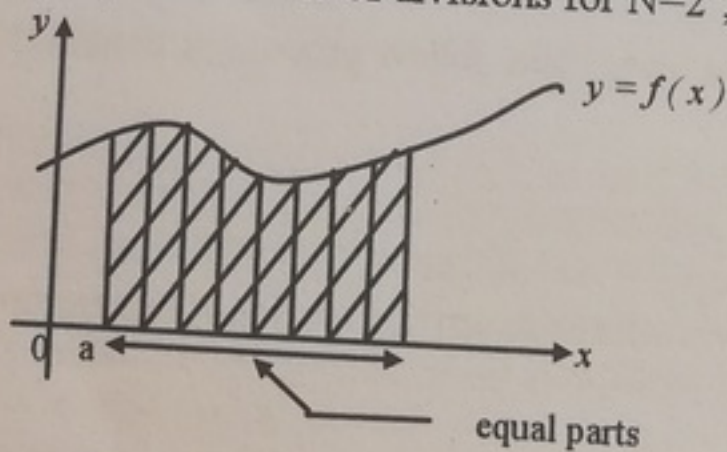
$$\text{[dx]} f(x) [.] a [.] b [.] n)$$

where a is the starting point

b is the ending point

n is the value such that the number divisions $N=2^n$

Integration calculation is performed using Simpson's rule to determine function $f(x)$. Because of this, partition of the integrated area is necessary, however if the number of divisions is not specified, the unit automatically sets N according to the formula. To specify the number of divisions for $N=2^n$, n can be an integer from 1 to 9.



Input of function $f(x)$ and integration calculation

- 1) Press [Shift] [dx] to specify integration calculation.
- 2) Input the formula for the function $f(x)$, then input integral partitions [a, b].

Note:- $f(x)$ can use the variable X only. Anything other than X, i.e., A ~ F, Y are treated as a constant, and its memory contents are applied.

- 3) Next input n and finish by inputting a parenthesis. Input of [] and parenthesis can be omitted. When input is omitted, N (where $N=2^n$) is automatically set.
- 4) Press [=] to execute calculation. Results are displayed in a few seconds or a number of minutes.

Examples of operation

Example Calculate the following: $\int_1^5 (2x^2+3x+4)dx$

MODE **EXE** (Specify "COMP" mode)

Shift **dx** 2 **Alpha** **X** **Shift** **x²** **+** 3

xT **+** 4 **.** (f(x) input)

$\int(2X^2+3X+4,$

1 **.** 5 **.** (a, b input)

$^2+3X+4, 1, 5,$

6 **)** (n input)

$+3X+4, 1, 5, 6)$

=

134.6666667

III. Formula Memory Function

Formula memory lets you input a single formula in the memory, and then input values for the formula variables to calculate results. Memory can hold a single formula, up to 79 steps long.

◆ Store a formula in memory

Input the formula as the normal input. Now, we try to input the formula "Y = X² + 3X - 12" into the memory.

$Y = X^2 + 3X - 12$

Press **SHIFT** **PROG** to store the formula and exit from programming mode.

To execute the formula, press **CALC**.

CALC

X ?	PROG
	0.

Key in **7** **=**.

	PROG
	58.

You can press **=** again to recycle the formula execution or you can press **AC** to stop the formula execution.

AC

III. Complex Number Calculation

Press **MODE** **→** **EXE** to enter the CMPLX mode for calculations that include complex numbers. In CMPLX mode, only variables A, B, C and M can be used only. The others are used for storing the imaginary parts of values.

Example	Operation	Display
	[MODE][→][=] → "CMPLX"	
$(2 + 3i) + (4 + 5i)$	[() 2 [+] 3 [i] [)] [+] [() 4 [+] 5 [i] [)] [=] [Shift][Re→Im]	6. 8.i
Find the absolute value of $(3 + 4i)$	[Shift][Abs] [() 3 [+] 4 [i] [)] [=]	5.
Determine the argument of $(3 + 4i)$	[Shift][arg] [() 3 [+] 4 [i] [)] [=]	53.13010235

III. Previous Calculation Recall

Latest calculations will be saved in the last calculation memory and be able to recall using **[Ⓔ]** or **[Ⓕ]** key buttons. The maximum total size is 384 characters.

(Note :- Answer for these latest calculations will not be stored.)

When the up-arrow is present on the right on the right side of the LCD, it indicates that there are previous calculations available in the last calculation memory. You can press **[Ⓔ]** to retrieve and show the previous calculation on the screen. The answer will be calculated instantly and displayed as well. At the same time, the down-arrow will be ON to indicate that more recent calculations are stored in the last calculation memory.

Let the current display be

3.

Press **[Ⓔ]** to read the previous calculation.

100 ÷ 2

Then you can press **[Ⓕ]** to go back to the more recent calculation.

1 + 2



III. Graphs

Graph functions are active only in COMP mode, SD and REG mode.

In this calculator, one can plot the graphs by defining the range of the graph window first, then inputting the graph formula first in the "FUNC" menu. Lastly press **[DRAW]** to sketch the graph(s). The functions such as "Trace", "Scroll" and "Zoom" can be operated on the active curve. Two function buffers are available for storing the two latest active graph formulae.

To open the "FUNC" menu, you can press [SHIFT][FUNC].

```
FUNCT ?
Y1  Y2
```

If function "Y1" is the desired function, press [=]. Otherwise, press either  or  to select the function you want.

Say, Y1 is selected. The third line will show "Y1 = " and the cursor stays on the leftmost position of the lower line.


```
Y 1 =
```

You can enter the graph formula. Press [=] or [SHIFT][FUNC] upon completion and the unit will go back to the "FUNC" menu. You can proceed to define function Y2 in the same way. Or you can press [DRAW] to plot the graph(s). Or if you want to exit from the "FUNC" menu, press [SHIFT][FUNC] again.

These two function formulae will not be cleared unless one press [DEL] in the "FUNC" menu or you switch between function graph mode and parametric graph mode.

Say, you are now in the "FUNC" menu, and you are going to delete function Y2.

```
FUNCT ?
Y1  Y2
```

Press  to select "Y2". Then press [DEL] once. You will be asked if you are sure to delete Y2 by the following message.

```
Y 2
DELETE ?
```

Press [=] to delete function Y2. And the lower display will show " - - - - - " as an indication. A second later, the unit will be back to "FUNC" menu.

IIIa. Built-in Function Graph

This unit contains a total of 21 built-in graphs making it possible to produce the graphs of basic functions. These graphs are \sin , \cos , \tan , \sin^{-1} , \cos^{-1} , \tan^{-1} , \sinh , \cosh , \tanh , \sinh^{-1} , \cosh^{-1} , \tanh^{-1} , $\sqrt{\quad}$, x^2 , \log , \ln , 10^x , e^x , x^{-1} , $\sqrt[3]{\quad}$ and x^3 .

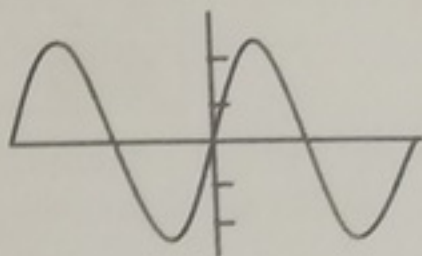
When a built-in graph is executed, the ranges are automatically set to their optimum values, and any graph previously on the display is cleared.

(Note:- The built-in graphs can only be drawn in COMP mode when function graph has been selected in the main menu.)

Example 1 Sine curve

One should go back to COMP mode first. Follow the steps as below.

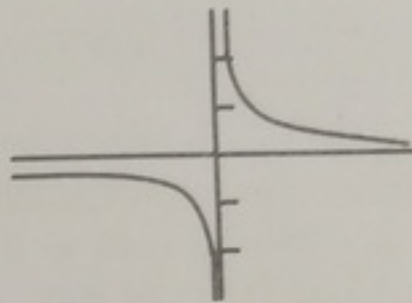
[SHIFT][FUNC] (Open "FUNC" menu.)
[=] (Select the function "Y1".)
[sin][=] (Let $Y1 = \sin$)
[DRAW] (Sketch the graph.)



(Note:- The variable "x" is missing after the function key "sin" to indicate it is a built-in graph function.)

Example 2 $y = 1/x$ graph

[SHIFT][FUNC] (Open "FUNC" menu.)
[=] (Select the function "Y1".)
[SHIFT][x^{-1}][=] (Let $Y1 = x^{-1}$)
[DRAW] (Sketch the graph.)

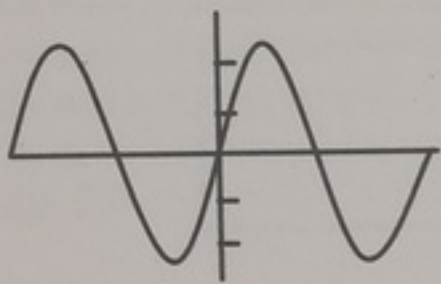


(Note:- Same as above, the variable "x" is missing before the inverse function.)

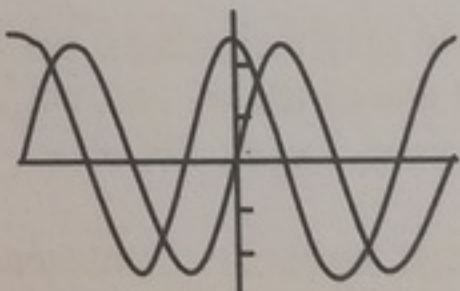
◆ Overdrawing built-in function graphs

Two or more different built-in functions can be drawn together on the same display. Since the range for the first graph is automatically set, all subsequent graphs on the same display are produced according to the range of the first graph (provided that all subsequent graphs are user defined graphs). The first graph is produced by using the previously mentioned operation. Subsequent graphs are produced using the variable "x" in the operation.

Say, the function Y1 is defined as " $Y1 = \sin$ " for plotting the built-in sine curve.



Then overdraw the graph " $y = \cos x$ " on the graph above. To do so, the function Y2 should be defined as " $Y2 = \cos x$ " (variable "x" has to be entered in this case since " $y = \cos x$ " is not a built-in function).



IIIb. User Generated Graphs

User generated graphs can be divided into function graphing and parametric graphing. In function graphing, the user should input a formula in the format of $y = f(x)$ while in parametric graphing, both $x = f(T)$ and $y = f(T)$ should be defined.

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◆ Specifying range parameters

Unlike built-in functions, the ranges of user generated graphs are not set automatically, so graphs produced outside of the display range do not appear on the display. Range parameters are used to define the size of the graph window. The parameters consist of the following :-

- Xmin :- the minimum value of the x-axis
- Xmax :- the maximum value of the x-axis
- Xscl :- scale of the x-axis (distance between hash marks)
- Ymin :- the minimum value of the y-axis
- Ymax :- the maximum value of the y-axis
- Yscl :- scale of the y-axis (distance between hash marks)
- T_{min} :- the minimum value of parameter "t" for parametric graphs
- T_{max} :- the maximum value of parameter "t" for parametric graphs
- Pitch :- the pitch value for parametric graphs

How to set the range parameters

To set the range parameters, one should press the [RANGE] key (except in the BASE-N and CMPLX mode), the range parameter setting screen appears on the display. Enter the value you want to specify for the displayed parameter and then press [EXE].

For example, change the range parameters on the left to those on the right as follows :-

Xmin : 0 → 5	Ymin : -10 → -5	T _{min} : 0
Xmax : 5 → 5	Ymax : 10 → 15	T _{max} : 10
Xscl : 4 → 2	Yscl : 4 → 4	Pitch : 0.1

[RANGE]

X m i n ? 0.

Specify -5 for Xmin.
[(-)][5]

X m i n ?
- 5 _

Press [EXE] to confirm and move to Xmax.

X m a x ? 5.

Simply press [EXE] since there is no change for Xmax.

X s c l ? 4.

Specify 2 for Xscl.
[2][EXE]

Y m i n ? - 1 0.

Specify -5 for Ymin.
[-][5][EXE]

Y m a x ? 1 0.

Specify 15 for Y_{max} .
[1][5][EXE]

Y s c l ?
4.

No change for T_{min} ,
just press [EXE].

t m i n ?
0.

Specify 10 for T_{max} .
[1][0][EXE]

t m a x ?
10

Press [EXE] to confirm and
move to "Pitch".

P i t c h ?
5.

Specify 0.1 for pitch by pressing
[0][.][1][EXE]. Meanwhile,
the unit will recycle back to "Xmin".

X m i n ?
-5.

Leave "RANGE" setting, press [RANGE] again.

Besides range values, you can also input range parameters as expressions such as 2π and these expressions are automatically converted to the values.

Remarks :-

- If you enter a value that is outside the allowable range or if you try to perform some other illegal operations, an error message appears on the display. When this happens, press [←] or [→] to locate the error in the calculation and make the necessary corrections.
- Inputting 0 for Xscl or Yscl doesn't set any scales.
- Inputting a maximum value that is less than the minimum value will reverse the respective axes.
- If the maximum and minimum values of an axis are equal, an error will be generated.
- When a range setting is used that does not allow display of the axes, the scale for the y-axis is indicated on either the left or right edge of the display, while that for the x-axis is indicated on either the top or bottom edge.
- When the range values are changed or reset, the graph display is cleared and the newly set axes only are displayed.
- If the range is set too wide or narrow, the graph produced may not fit on the display.

How to check the range parameters

If you want to check all the range parameters, you can press [RANGE] to switch to parameter setting screen. Then press [EXE] to scroll through the range parameter settings without changing them.

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[RANGE]

Xmin? -5.

[EXE]

Xmax? 5.

[EXE]

Xscl? 2.

[EXE]

Ymin? -5.

[EXE]

Ymax? 15.

[EXE]

Yscl? 4.

[EXE]

tmin? 0.

[EXE]

tmax? 10.

[EXE]

Pitch? 0.1

Lastly press [RANGE] again to return to the display that was shown before entering the range display.

How to reset the range parameters

Range values are reset to their initial values by pressing [SHIFT][MCL] or [SHIFT][SCL] during range display.

The initial values are as follows :-

Xmin :	-4.6	Ymin :	3.0	Tmin :	0
Xmax :	4.6	Ymax :	3.0	Tmax :	360
Xscl :	1	Yscl :	1	Pitch :	8

◆ Generation of Function Graphs

After specifying the range parameters as described above, user generated graphs can be drawn simply by defining the functions (formula) in "FUNC" menu as described above.

For example, the graph for $y = 2x^2 + 3x - 4$ is to be drawn

Firstly, set the ranges to the values shown below.

$$\begin{array}{ll} X_{\min} = -5, & Y_{\min} = -10 \\ X_{\max} = 5, & Y_{\max} = 10 \\ X_{\text{scl}} = 2, & Y_{\text{scl}} = 4 \end{array}$$

Then open the "FUNC" menu, select "Y1" and define the function formula of "Y1".

Y 1 =

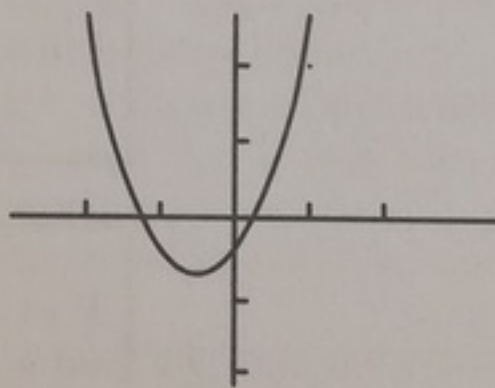
Enter the formula by keying in [2] [X,T] [x²] [+] [3][X,T] [-] [4]

$$Y_1 = 2 X^2 + 3 X - 4$$

Press [EXE] to go back "FUNC" menu.

FUNCT ?
Y1 Y2

Draw the graph by pressing [DRAW]. The graph will be displayed as below.



◆ Graph Overdraw

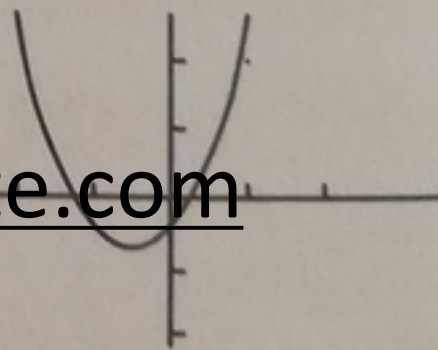
Two or more graphs can be overdrawn, which makes it easy to determine intersection points and solutions that satisfy all the equations.

For example, let's find the intersection points of the graph $y = 2x^2 + 3x - 4$ and $y = 2x + 3$.

First, press [SHIFT][CLS][EXE] to clear the graph screen in preparation for the first graph. Then enter the formula for the first graph in the "FUNC" menu.

$$Y1 = 2X^2 + 3X - 4$$

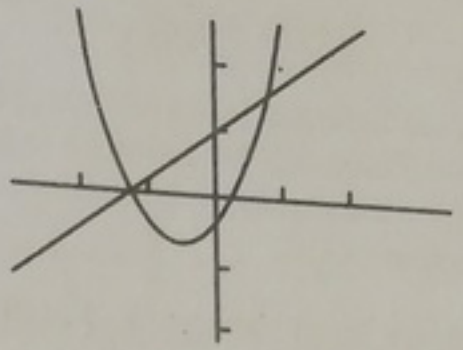
Press [DRAW] to plot Y1.



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Next, overdraw the graph for $y = 2x + 3$ by defining $Y2 = 2X + 3$ as well.

Press [DRAW] and the graphs are overdrawn each other as shown on the right.

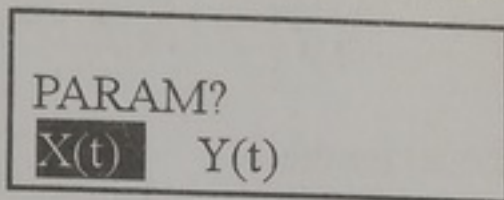


In this way, it can be easily seen that there are two intersections for the two function graphs. The approximate coordinates for these two intersections can be found using "Zoom" function or the "Trace" function described in the following sections.

◆ Generation of Parametric Graphs

When parametric graph has been selected in "MODE" menu, you can draw parametric graphs. Similar to function graphs, users should specify the range parameters first to define the graph window. Then he / she can input the formula in "FUNC" menu.

Press [SHIFT][FUNC] to open the "FUNC" menu. "PARAM?" is displayed instead of "FUNCT" to indicate the parametric function is to be defined.



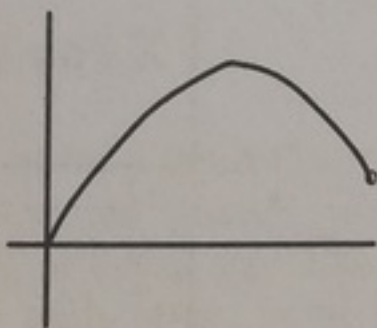
Set the ranges to the values shown below.

$X_{min} = -10$	$Y_{min} = -2$	$T_{min} = 0$
$X_{max} = 60$	$Y_{max} = 10$	$T_{max} = 5$
$X_{scl} = 20$	$Y_{scl} = 5$	Pitch = 0.1

This time, the user will be asked for two formulae which are $x = f(T)$ and $y = f(T)$.

For example, the parametric graph of " $x = 30T \cos 25$,
 $y = 30T \sin 25 - 9.8T^2 / 2$ " is to be drawn

Define both $x(t)$ and $y(t)$ as described for Function Graphing. Then press [DRAW]. The graph will be drawn as below.



Note: If either $x(t)$ only or $y(t)$ only has been defined, no curve will be plotted. Only the x-y coordinates will be shown.

IIIc. Zoom Function

This function lets you enlarge or reduce the x - and y -coordinates. If you use the Trace or Plot function to locate the pointer at a specific point on the graph, the enlargement / reduction is performed using the pointer location as the center point.

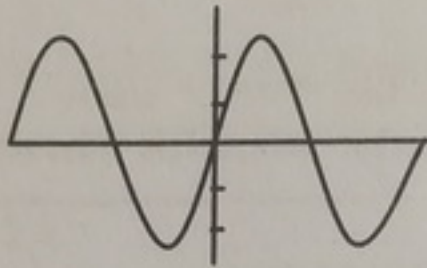
How to enlarge a graph

Example :- To enlarge the graph for $y = \sin x$ by a factor of 1.5 on the x -axis and 2.0 on the y -axis.

Firstly, set the range parameters as below.

Xmin = -360 Ymin = -1.6
Xmax = 360 Ymax = 1.6
Xscl = 180 Yscl = 1

After specifying the range parameters, graph $y = \sin x$ as described above.



Then press [SHIFT][FACTOR] for the factor specification screen. (The current zoom factor is 2.)

X f a c t ?
2.

Change the factor to 1.5 by keying in [1][.][5]

X f a c t ?
1.5 _

Press [EXE] to confirm the X-factor and move forward to Y-factor screen.

Y f a c t ?
0.

Change Y-factor to 2 by entering [2].

Y f a c t ?
2 _

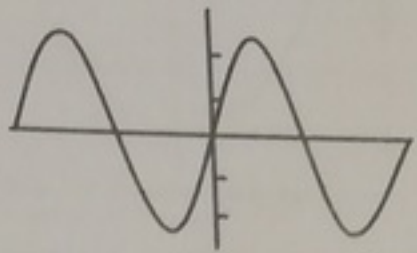
Press [EXE] to cycle back to "Xfact" .

X f a c t ?
1.5

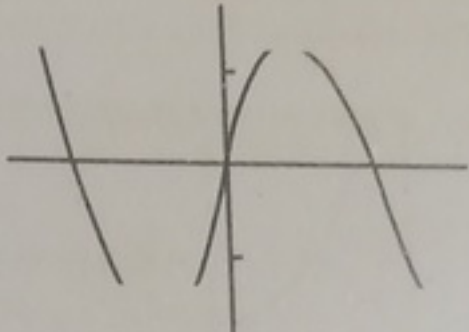
Finally, press [SHIFT][FACTOR] to exit.

Whenever you try to change the factor value while a graph is displayed, the display changes to the text screen automatically. To return to the graph screen, press [G↔T].

[G↔T]



Press [SHIFT][Zoom×f] to enlarge the graph according to the factors specified.



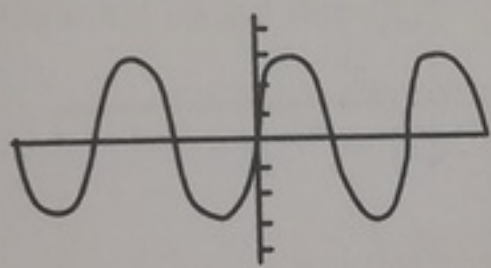
When you view the range parameters again, you will find that the window size becomes as follows :-

$$\begin{aligned} X_{\min} &= -240, & X_{\max} &= 240, & X_{\text{scl}} &= 180 \\ Y_{\min} &= -0.8, & Y_{\max} &= 0.8, & Y_{\text{scl}} &= 1 \end{aligned}$$

If you press [SHIFT][Zoom×f] again, the graph is enlarged once more by the factors you specified. To return the graph to its original size, press [SHIFT][Zoom Org].

How to reduce a graph

Follow the same procedure as described above for enlarging a graph. After specifying the factor, press [SHIFT][Zoom×1/f] instead. The graph will be reduced as below.



You can take a look at the range parameters which become as :-

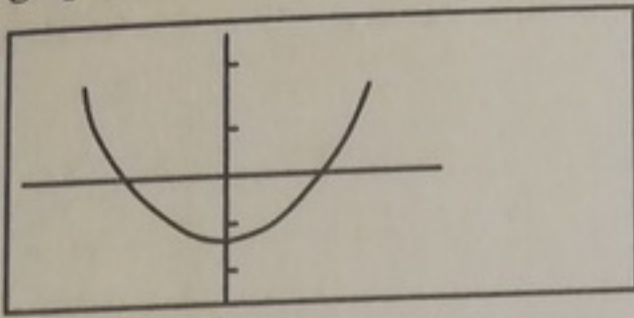
$$\begin{aligned} X_{\min} &= -540, & X_{\max} &= 540, & X_{\text{scl}} &= 180 \\ Y_{\min} &= -3.2, & Y_{\max} &= 3.2, & Y_{\text{scl}} &= 1 \end{aligned}$$

If you press [SHIFT][Zoom×1/f] again, the graph is reduced once more by the factors specified. To return the graph to its original size, press [SHIFT][Zoom Org].

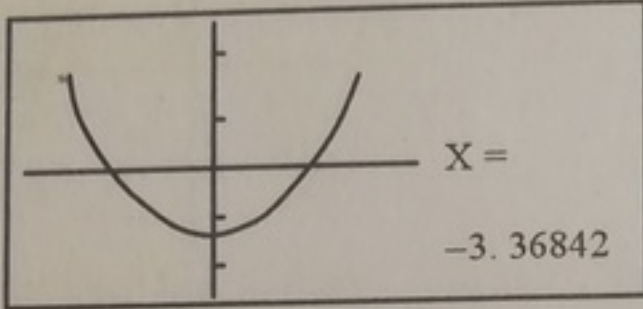
IIIId. Trace Function

This function lets you move a pointer around a graph and display the x- and y-coordinates of the current pointer location. The coordinates can be displayed with the use of seven digits or eleven digits. When two active graphs are overdrawn each other, you can press [▲] or [▼] to switch between the graphs. Each time you toggle between the curves, the tracing will restart from the leftmost position.

For example, graph $y = x^2 - 3$ on the screen.

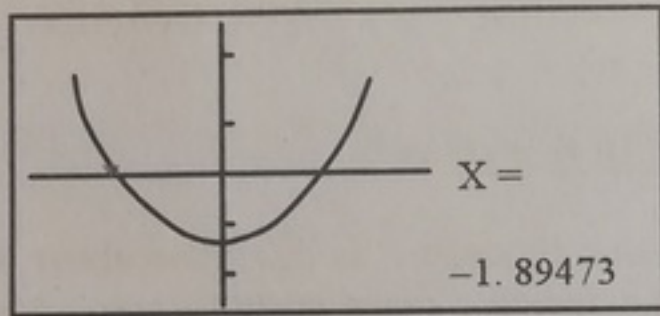


Activate the Trace function by pressing [TRACE]. A blinking pointer will be located on the leftmost of the curve and the corresponding x -coordinate will be shown.

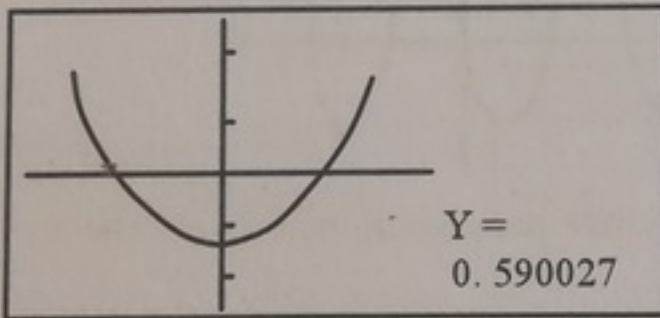


You can use the buttons [\leftarrow] or [\rightarrow] to move the pointer along the graph. Each press moves the cursor one point. Holding down either key moves the pointer at high speed. The corresponding coordinate reading shown on the lower right part of the screen will be updated all the way.

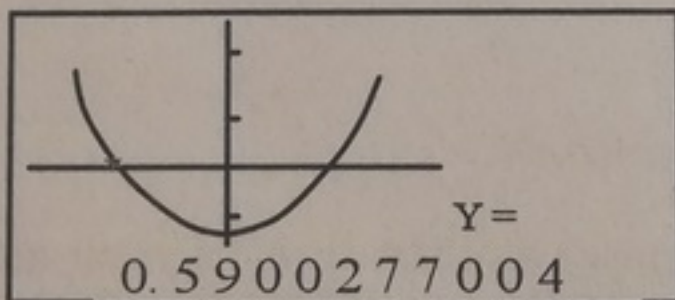
Press [\rightarrow] consecutively.



Besides the x -coordinate, you can also read the y -coordinate of the blinking pointer by pressing [SHIFT][X \leftrightarrow Y] which will toggle the reading of x -coordinate and y -coordinate.



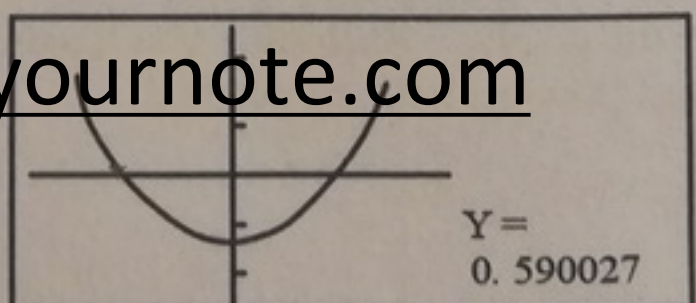
As you trace along the curve, either x -coordinate or y -coordinate will be shown in 7-digit mantissa plus a 2-digit exponent. If you want to get the exact value, you can press [VALUE] to read the value which will be displayed in 11-digit mantissa plus a 2-digit exponent as below.



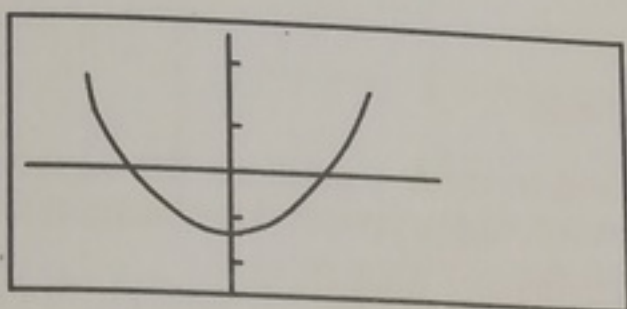
To switch back to 7-digit mantissa, you can press [VALUE] again.

[VALUE]

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To exit the Trace function, press [TRACE] again. The blinking pointer will disappear.



IIIe. Sketch Operations

You can select and perform the following functions by Sketch operations.

Plot --- Plot a point on the graph

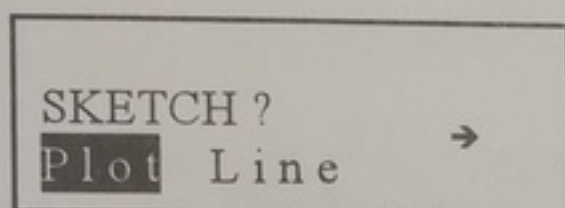
Line --- Draw a line segment between two points

Tangent --- Draw a line segment tangent to a function

Horizontal --- Draw a horizontal line

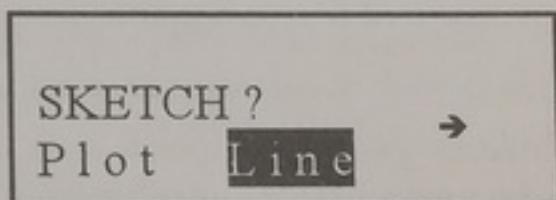
Vertical --- Draw a vertical line

To display the Sketch menu, press [SHIFT][SKETCH]. Function "Plot" and "Line" are displayed.

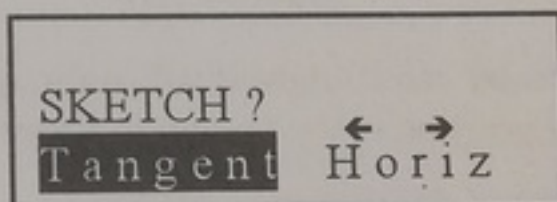


Press [→] consecutively to select the desired function.

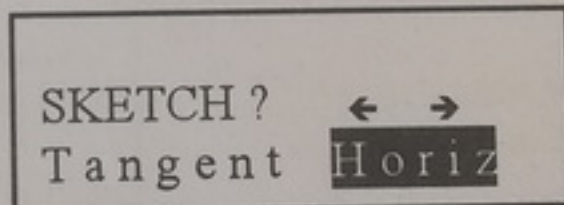
[→]



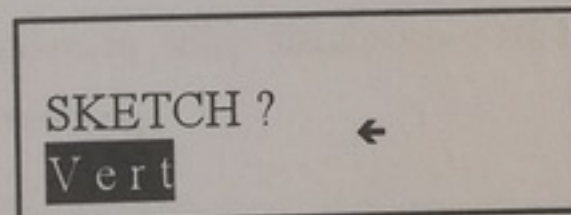
[→]



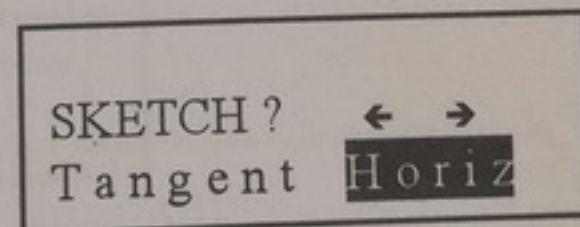
[→]



Press [→] further to move to the end of *SKETCH* menu.



Pressing [←] lets you go back to the previous item.

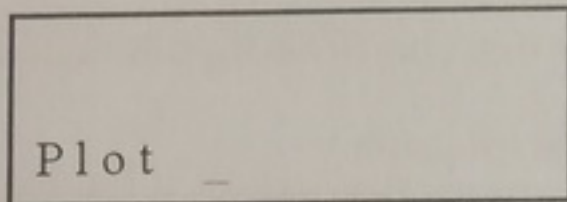


As you have chosen the desired function, press [EXE] for confirmation and exit from *SKETCH* menu.

IIIe-1. Plot Function

The Plot function is used to mark a point on the screen of a graph display. The point can be moved left, right, up and down using the cursor keys, and the coordinates for the graph displayed can be read.

Select Plot function in the *SKETCH* menu. The command "Plot" will be shown on the display as below.

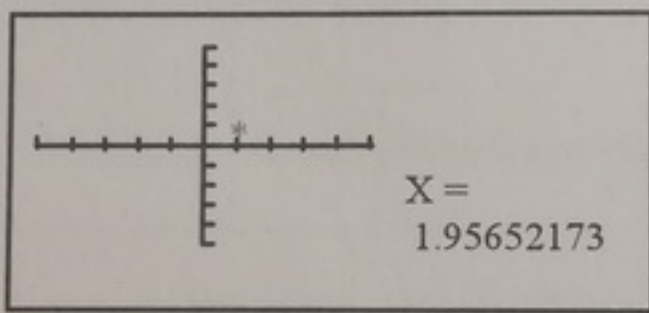


You have to specify the x- and y-coordinates after the command "Plot".

For example :- Plot a point at $x=2$ and $y=2$ on the axes created by the following range values.

Xmin = -5, Xmax = 5, Xscl = 1
 Ymin = -10, Ymax = 10, Yscl = 2

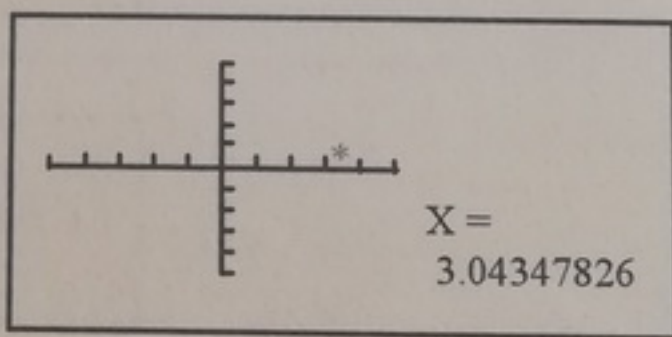
Press [SHIFT][SKETCH][EXE][2][SHIFT][,][2][EXE]



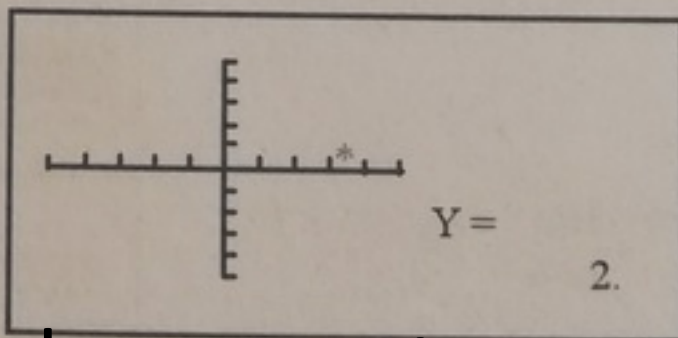
The blinking pointer is positioned at the specified coordinates. Due to limitations caused by the resolution of the display, the actual position of the pointer can only be approximate.

The pointer can be moved left, right, up and down using the cursor keys. The current position of the pointer is always shown at the bottom of the display.

[→][→][→][→][→]

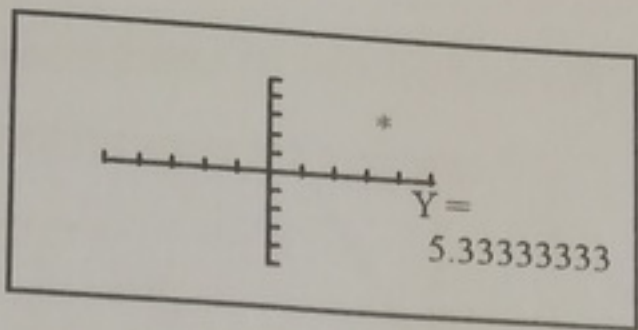


To find the y-coordinate value, press [SHIFT][X↔Y].



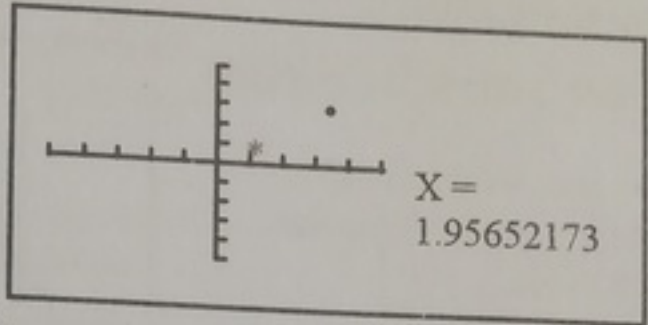
As you move the blinking pointer upwards or downwards, the y-coordinate will be updated simultaneously.

[↑][↑][↑][↑][↑]



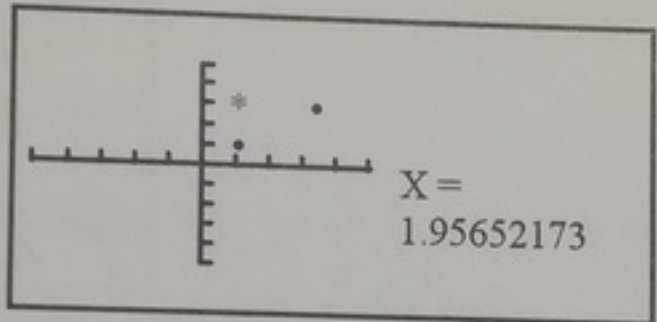
When the pointer is at the location you want, press [EXE] to plot a point. At this time, the pointer returns to the original point you specified ((2, 2) in this example).

[EXE]



Now, you can input a new coordinate value to create a new blinking pointer without clearing the present pointer. The present pointer will become a fixed point as shown below.

[SHIFT][SKETCH][EXE][2][.][6][.]
[5][EXE]



If x - y coordinates are not specified for the Plot function (i.e., [SHIFT][SKETCH][EXE][EXE]), the blinking pointer appears at the center of the screen.

IIIe-2. Line Function

The Line function makes it possible to connect two points (including the blinking pointer) created with the Plot function with a straight line. With this function, user generated lines can be added to graphs to make them easier to read.

For example, Draw perpendiculars from the point (2, 0) on the x -axis to its intersection with the graph for $y = 3x$. Then draw a line from the point of intersection to the y -axis.

Let the range values be :-

$$X_{\min} = -2, \quad X_{\max} = 5, \quad X_{\text{scl}} = 1$$

$$Y_{\min} = -2, \quad Y_{\max} = 10, \quad Y_{\text{scl}} = 2$$

Clear the graph display and draw the graph for $y = 3x$.

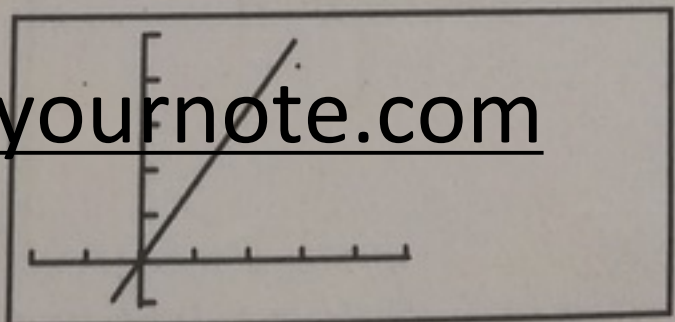
[SHIFT][CLS][EXE]

[SHIFT][FUNC][EXE]

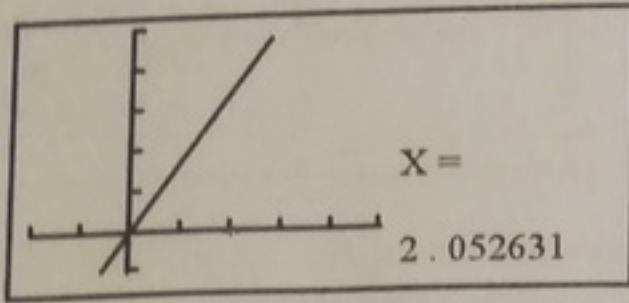
[3][X,T][EXE]

[DRAW]

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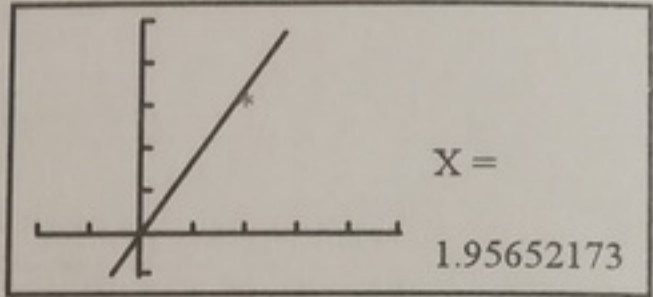
Next, use the Plot function to locate a point at (2, 0).



Now plot a point at (2, 0) again and use the cursor key [↑] to move the pointer up to the graph of "y = 3x".

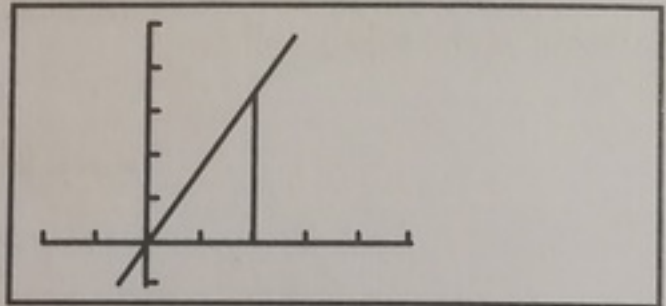
[SHIFT][SKETCH][EXE][2][.][0][EXE]
[EXE].

Press [↑] consecutively till the blinking pointer meets the graph of $y = 3x$.



Select Line function in the *SKETCH* menu to draw a line.

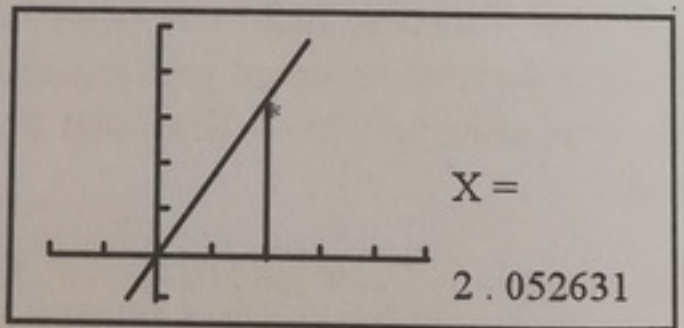
Press [SHIFT][SKETCH][→][EXE]
[EXE].



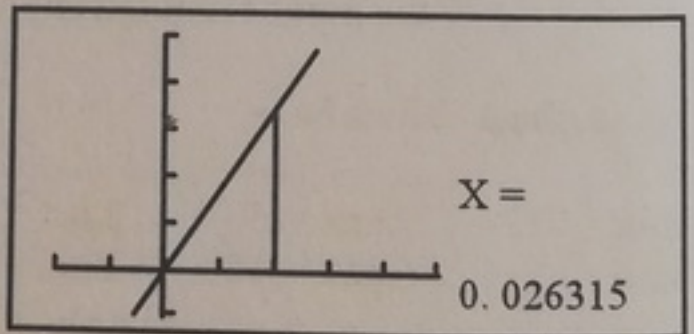
Next, a perpendicular will be drawn from the same point on the graph to the y-axis.

Firstly, plot the point on the graph and use the cursor key [←] to move the pointer to the y-axis. This can be accomplished using the command "Plot X, Y" since the current blinking pointer is actually the point on the graph and the corresponding x-y coordinates are stored.

[SHIFT][SKETCH][EXE][ALPHA][X][.]
[ALPHA][Y][EXE][EXE]

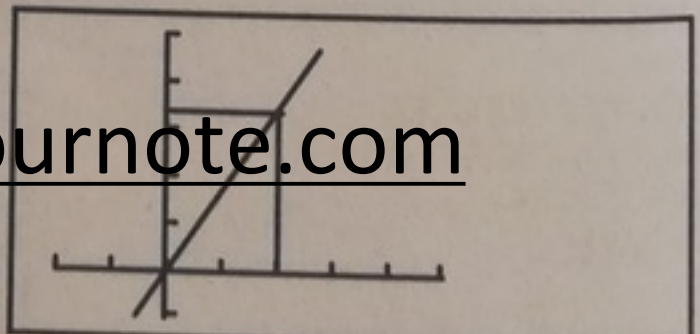


Then move the pointer to the y-axis by pressing [←] consecutively.



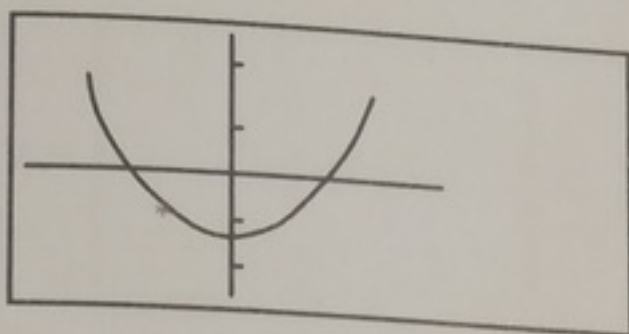
Draw the line.

[SHIFT][SKETCH][→][EXE][EXE]

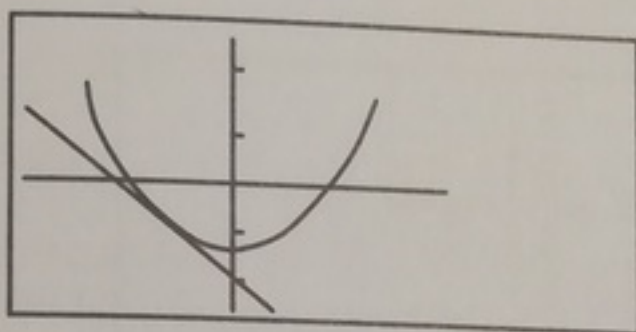


IIIe-3. Drawing a Tangent Line

First locating a point on the screen using TRACE function.

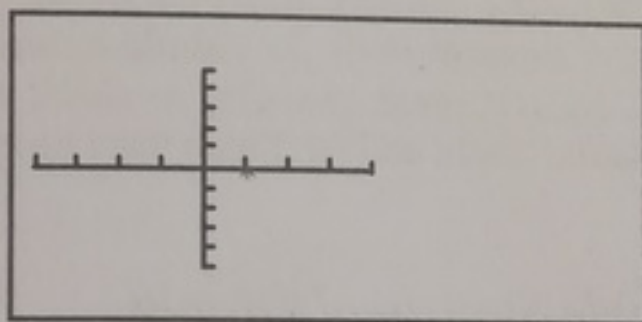


Then select the "Tangent" function from the *SKETCH* menu. Press [EXE] to draw the tangent line through the specified point.

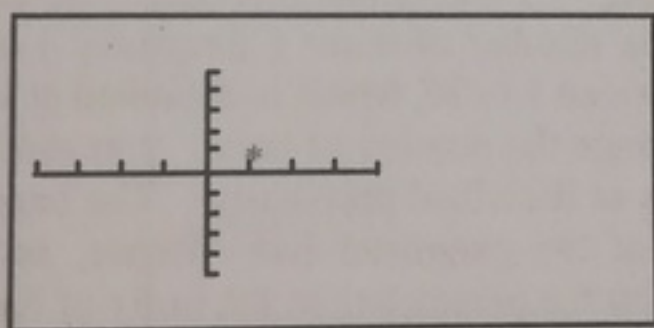


IIIe-4. Draw a Horizontal Line

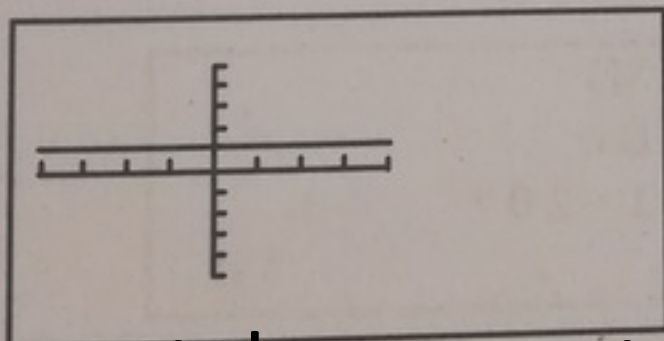
First plot a point on the screen as described above. Say, plot a point at $(2, 0)$.



If necessary, use the cursor keys [\leftarrow], [\rightarrow], [\uparrow] or [\downarrow] to move the blinking cursor to the point through which the horizontal line is to be drawn.

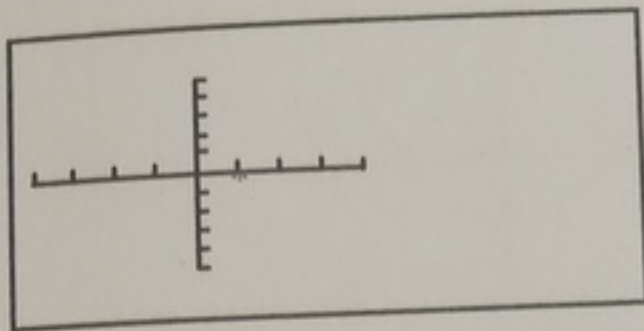


Finally, press [EXE] to draw the horizontal line.

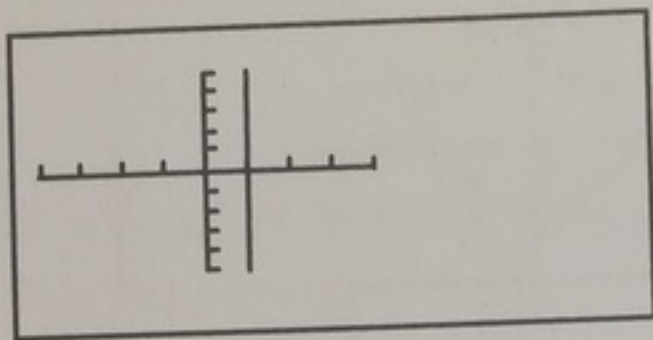


IIIe-5. Drawing a Vertical Line

First plot a point on the screen as described above. Say, plot a point at (2, 0).



If necessary, use the cursor keys [←], [→], [↑] or [↓] to move the blinking cursor to the point through which the vertical line is to be drawn. Finally, press [EXE] to draw the vertical line.



III f. Graph Scroll Function

After you have drawn a graph, you can scroll it on the display by using the cursor keys [←], [→], [↑], [↓]. Every time when you have pressed the cursor keys, the display window will be shifted accordingly in the corresponding direction. As you press [RANGE] to check the range values, you will find that Xmin, Xmax, Ymin and /or Ymax have been changed.

III g. Single-Variable Statistical Graphs

In SD mode, single-variable statistical graphs can be drawn. Either bar graphs or normal distribution curves can be produced.

For drawing the bar graphs, x-coordinate represents the data range and the y-coordinate stands for the number of items (frequency) of each data. The number of bars ranges between 1 to 20, which is defaulted at 10 upon power up reset. If you want to change the number of bars, you can press [RANGE] to view the range parameters as described previously. The bar number selection is appended to the end of the parameter list. Hence, as you press [EXE] consecutively, you can view the parameters in the order of Xmin, Xmax, Xscl, Ymin, Ymax, Yscl, Tmin, Tmax, Pitch, Bar and cycle back to Xmin.

As you come to the bar selection screen, the display shows :-

```
SD
Bar
1 ~ 20 ?
10.
```

If you want to change the bar number, enter an integer in the range of 1 to 20. Then press [EXE] to update the value. If you have entered a value out of this range, or the input value is not an integer, Ma Error will occur.

Example :- Use the following data to draw a ranked graph.

Rank No.	1	2	3	4	5	6	7	8	9	10	11
Rank	0	10	20	30	40	50	60	70	80	90	100
Frequency	1	3	2	2	3	5	6	8	15	9	2

Step 1 :- Set the range values as below.

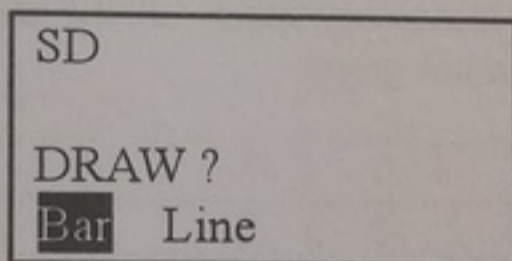
$$\begin{aligned} X_{\min} &= 0, & X_{\max} &= 110, & X_{\text{scl}} &= 10 \\ Y_{\min} &= 0, & Y_{\max} &= 20, & Y_{\text{scl}} &= 2 \end{aligned}$$

Step 2 :- Clear the statistical memory by pressing [SHIFT][Scl][EXE].

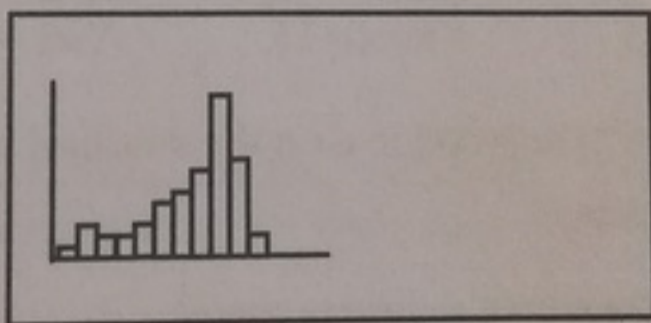
Step 3 :- Input the data.

```
0 [DT]
10 [DT][DT][DT]
20 [DT][DT]
30 [DT][DT]
40 [DT][DT][DT]
50 [SHIFT][;] 5 [DT]
60 [SHIFT][;] 6 [DT]
70 [SHIFT][;] 8 [DT]
80 [SHIFT][;] 15 [DT]
90 [SHIFT][;] 9 [DT]
100 [DT][DT]
```

Step 4 :- Press [DRAW] to draw the graph. You will be asked to select either bar chart or distribution curve by the screen display as below.



Press either [◀] or [▶] to select the type of graphs. Then press [EXE] to start the drawing. Say, bar chart has been chosen.



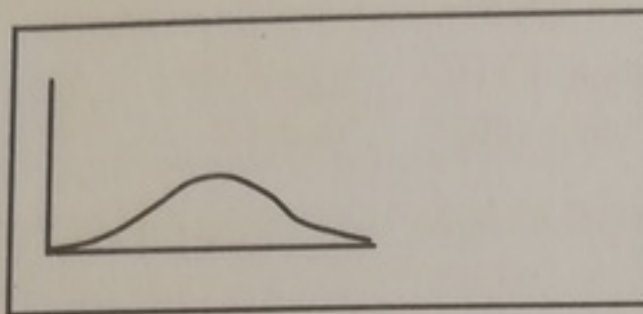
If normal distribution graph is to be drawn, select "Line" above and press [EXE].

Please note that the range values may be quite different from the previous data since the y -axis value is relatively small when compared with the bar graph.

Say, the range values are changed to those shown below.

$$X_{\min} = 0, \quad X_{\max} = 110, \quad X_{\text{scl}} = 10$$

$$Y_{\min} = 0, \quad Y_{\max} = 0.05, \quad Y_{\text{scl}} = 0.01$$



The formula used for normal distribution curves is :-

$$y = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

where σ is the population standard deviation, x is the value
 m is the mean

IIIh. Paired-Variable Statistical Graphs

Paired-variable graphs are drawn in REG mode. When data is input in LR mode, points will be displayed immediately and data is input to the statistical memory.

Example :- Perform linear regression on the following data and draw a regression line graph.

x_i	-9	-5	-3	1	4	7
y_i	-2	-1	2	3	5	8

Step 1 :- Specify the range values as below.

$$X_{\min} = -10, \quad X_{\max} = 10, \quad X_{\text{scl}} = 2$$

$$Y_{\min} = -5, \quad Y_{\max} = 15, \quad Y_{\text{scl}} = 5$$

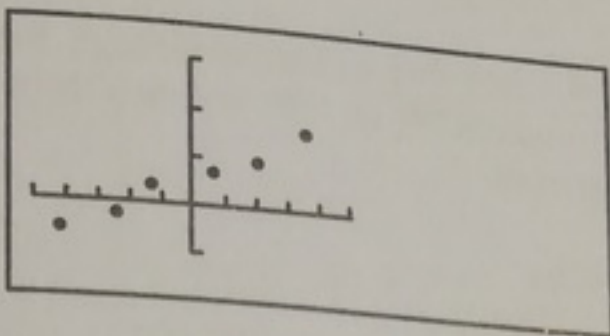
Step 2 :- Press [SHIFT][ScI][EXE] to clear the statistical memories.

Step 3 :- Input the data.

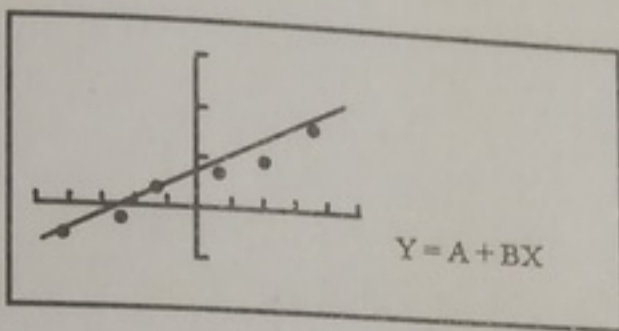
```
[SHIFT][(-)]9[SHIFT][,][SHIFT][(-)]2[DT]
[SHIFT][(-)]5[SHIFT][,][SHIFT][(-)]1[DT]
[SHIFT][(-)]3[SHIFT][,] 2[DT]
1[SHIFT][,]3[DT]
4[SHIFT][,]5[DT]
7[SHIFT][,]8[DT]
```

For each data input, the point is displayed immediately on the screen. If the data value exceeds the window size, the corresponding data point will not appear on the display but the data will be stored into the statistical memory.

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Step 4 :- As all the data have been input, press [DRAW] to draw the regression line.



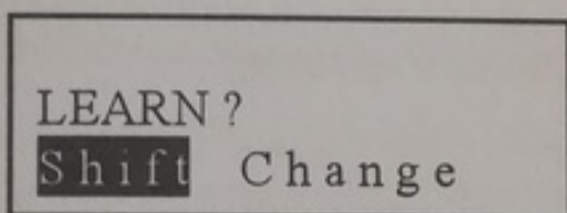
Note:- When data input is outside the preset range values, the point will not appear.

To read the coefficients of the regression lines, A, B, or C, you can press [SHIFT][A], or [SHIFT][B], or [SHIFT][R] respectively.

IIIi. Graph Learning :-

Two functions, i.e., Shift and Change helps students to grasp the relationship between an equation and its graph. (**Only work in COMP mode.**)

Press **GRAPH LEARN** to start the learning function. The display will show as below.

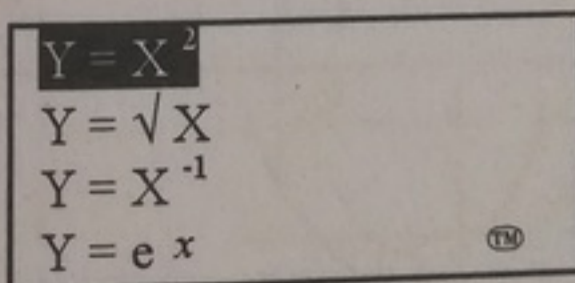


If "Shift" is the function you want, press **=** and you can proceed to the "Shift" function.

IIIi-1. Shift

Shift the graph's location without changing its shape, and the change is immediately reflected in the equation on the lower right of the display.

At entering "Shift" menu, you are asked to select a built-in function for shifting.



Press the key buttons $\boxed{\text{D}}$ or $\boxed{\text{E}}$ to search through the functions. On the lower right corner, the symbols " D " or " E " will be ON to tell you if there are further messages on either ends.

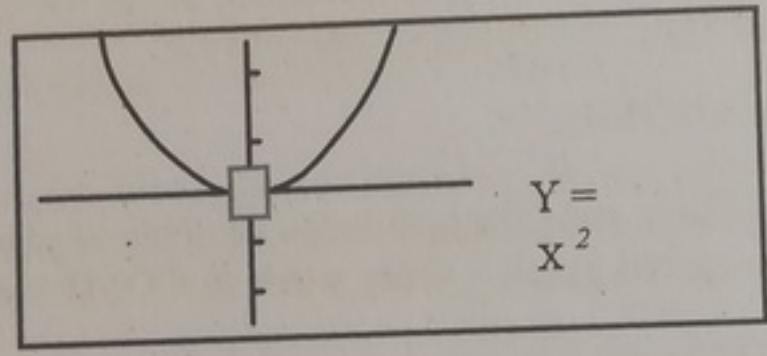
Those functions available are :-

- $y = x^2$
- $y = \sqrt{x}$
- $y = x^{-1}$
- $y = e^x$
- $y = \ln x$
- $y = x^3$
- $y = \sin x$
- $y = \tan x$
- $x^2 + y^2 = 4$

After you have found the desired function, press $\boxed{=}$ to start the "Shift" function.

The function will be plotted on the graph with the ranges set to the optimum values.

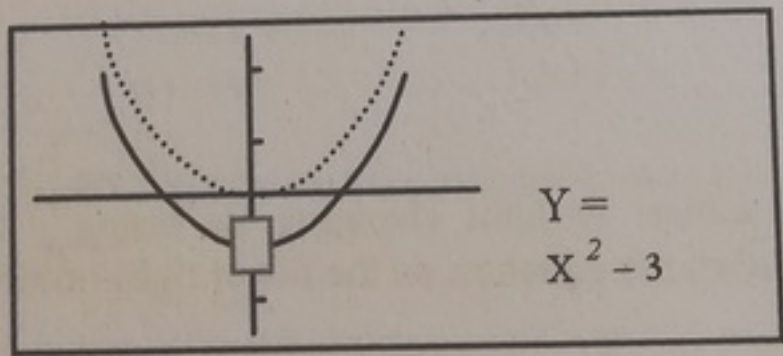
Say, you have selected the function " $y = x^2$ ".



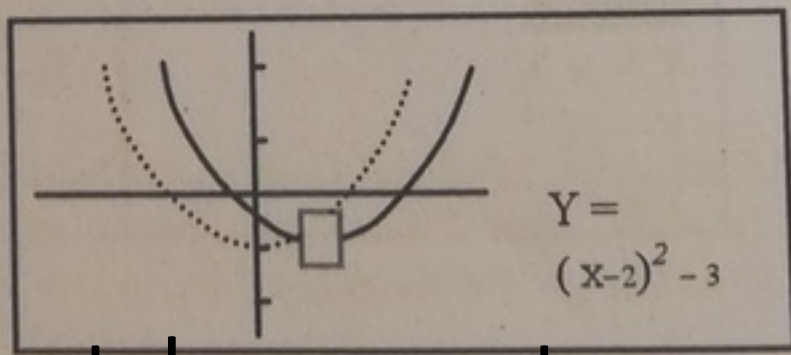
A flashing block appears on the lotus of the curve to indicate that you can press the key buttons $\boxed{\blacktriangle}$, $\boxed{\blacktriangledown}$, $\boxed{\blacktriangleleft}$ or $\boxed{\blacktriangleright}$ to shift the graph in the step of Yscl or Xscl along the y-axis or x-axis respectively.

Let Xscl = 2 and Yscl = 3.

When you has moved the graph downwards for one step, the equation will become as below.



As you move the graph further to the right for one step, the equation will be changed to " $y = (x - 2)^2 - 3$ ".



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If the new equation is too long to be shown on the lower right LCD, you can press $\boxed{G \leftrightarrow T}$ to switch to text display.

G ↔ T

→

Graph $Y = (X - 2)^2$

You can use the key buttons \leftarrow or \rightarrow to read the whole equation. To go back to the graph display, press $G \leftrightarrow T$ again.

IIIi-2. Change :-

"Change" function is used to change the shape of the graph and the change is immediately reflected in the equation on the right side of the display.

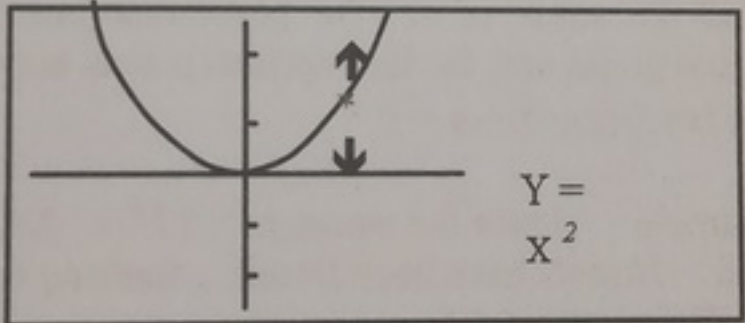
Select "Change" in the graph learning menu. Then press $=$ to proceed to the selection of the desired function.

Those functions available are :-

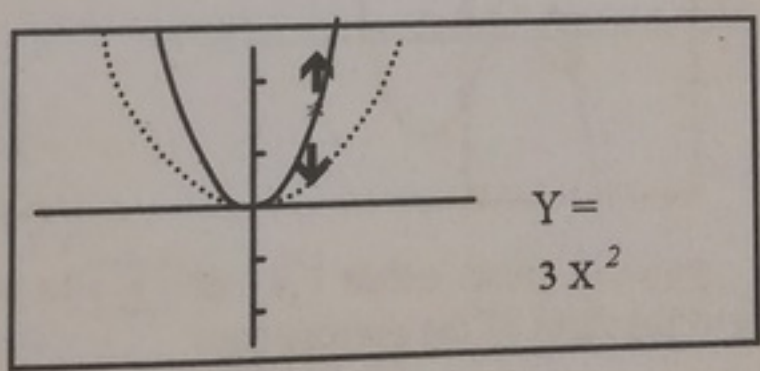
- $y = x^2$
- $y = \sqrt{x}$
- $y = |x|$
- $y = e^x$
- $y = x^3$
- $y = \sin x$
- $y = x$
- $x^2 + y^2 = 4$

As you have selected the function, press $=$ to start the "Change" function.

Let the function be $y = x^2$. The graph will be shown as below.



A flashing cursor will be located on the lotus of the curve. You can change the shape of the graph by pressing either \blacktriangle or \blacktriangledown buttons as indicated. Say, the graph is moved to the lotus of " $y = 3x^2$ ".



Same as "Shift" function, you can press $G \leftrightarrow T$ to switch to text display to read the whole equation.

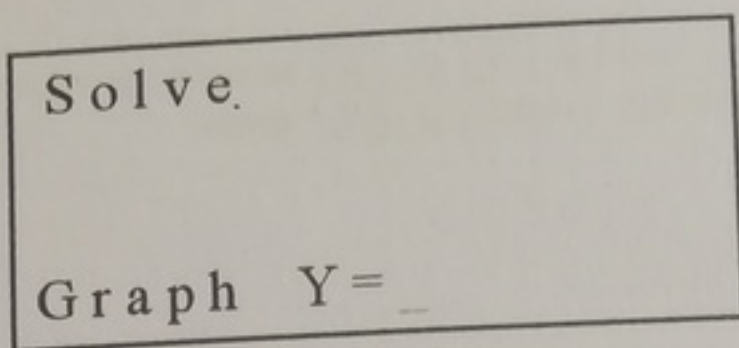
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For the function $x^2 + y^2 = r^2$, as you press \blacktriangle or \blacktriangledown to change the shape of the circle, the lotus of the circle should move radially.

IIIj. Graph Solving :-

Graph Solving function lets you plot the graph on the display and find the corresponding x -value for a specified y -value.

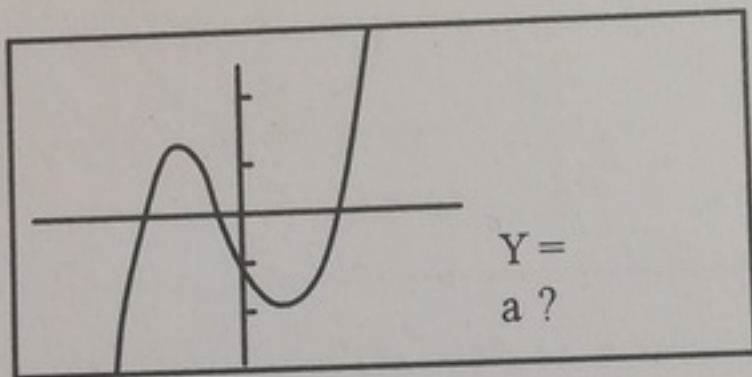
Press **GRAPH SOLVE** once and the display will be as below.



You are asked to input the desired function.

Let the function be $y = 0.25(x+2)(2x+1)(2x-5)$

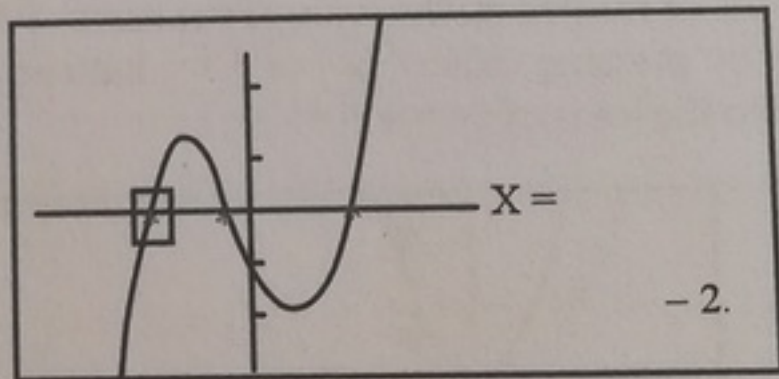
As you press **=** to complete the entry, the graph will be plotted and meanwhile the message " $Y = a ?$ " will be shown up on the lower right portion of the display.



(It is assumed that the graph is plotted on the window with the optimum range.)

After you have defined the value of a , the horizontal line $Y = a$ will be overdrawn on the original graph and the intersection points are the roots of the equation " $0.25(x+2)(2x+1)(2x-5) - a = 0$ ".

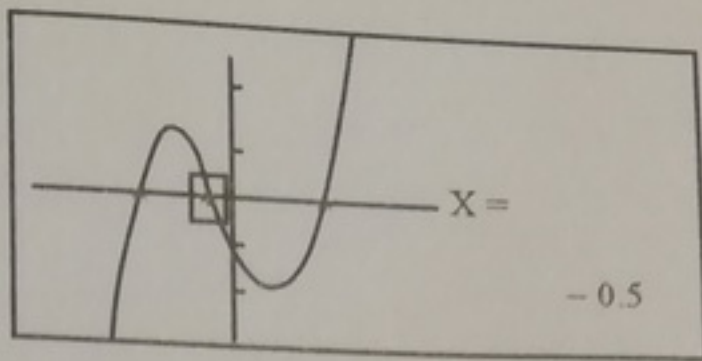
Let a be zero in this example. Hence the equation " $0.25(x+2)(2x+1)(2x-5) = 0$ " is going to be solved. If roots have been found, flashing cursor (s) will be located at the corresponding position (s).



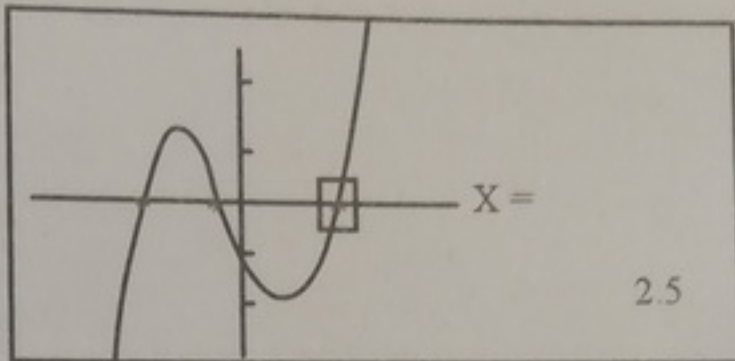
To read other roots, you can press either **◀** or **▶** to move the block to next root at the left or at the right of the current root.

Say, you have pressed the button **▶**, the display will become :-

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Press further to read the third root.



If you press further, the graph will scroll to the right further for one window. No matter whether root or (roots) is present or not, the graph will stay on the display. Similarly, you can go to the left to search for roots by pressing or press to move the graph to the right for one window further.

(Note :- The accuracy of the roots is affected by the resolution of the scales.)